

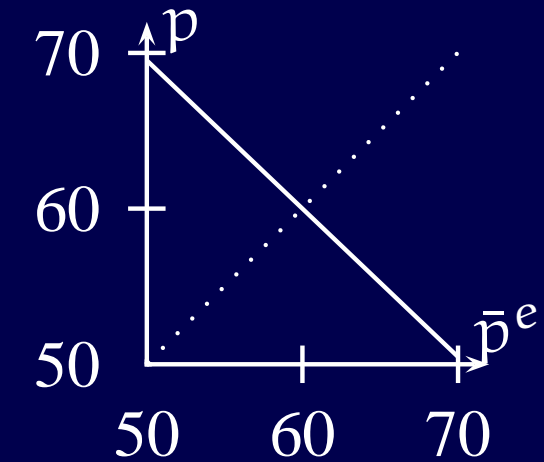
“Price Stability and Volatility in Markets with Positive and Negative Expectations Feedback: An Experimental Investigation”

Heemeijer, Hommes, Sonnemans, Tuinstra

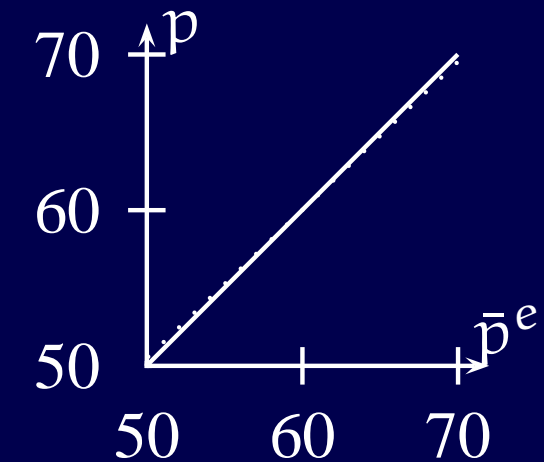
Discussion: Oliver Kirchkamp

Dynamics

negative: $p = \frac{20}{21} (123 - \bar{p}^e) + \epsilon_t$

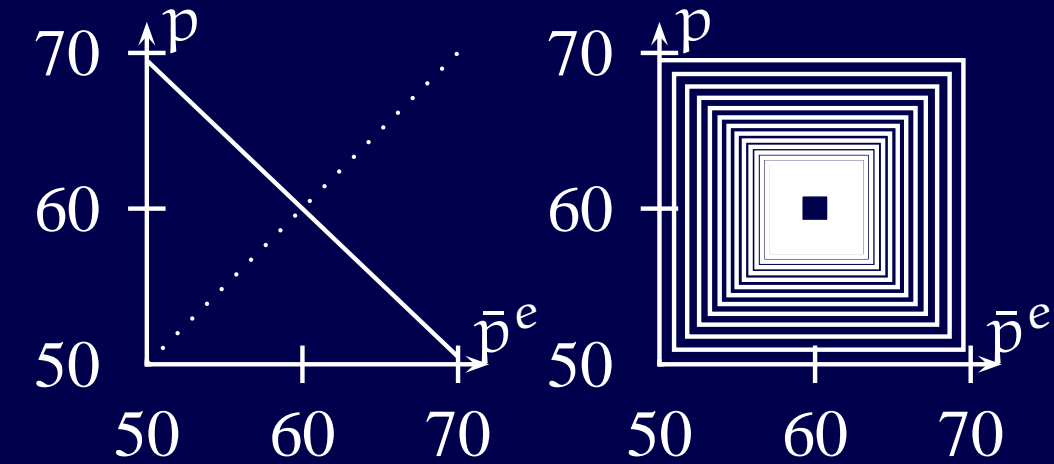


positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$

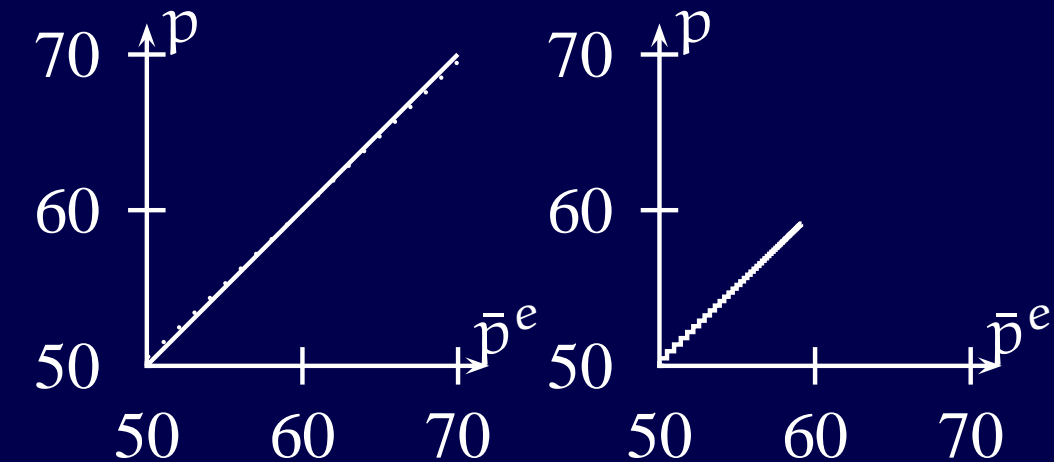


Dynamics

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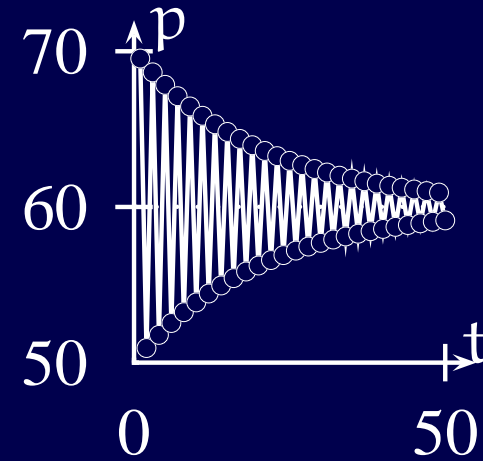
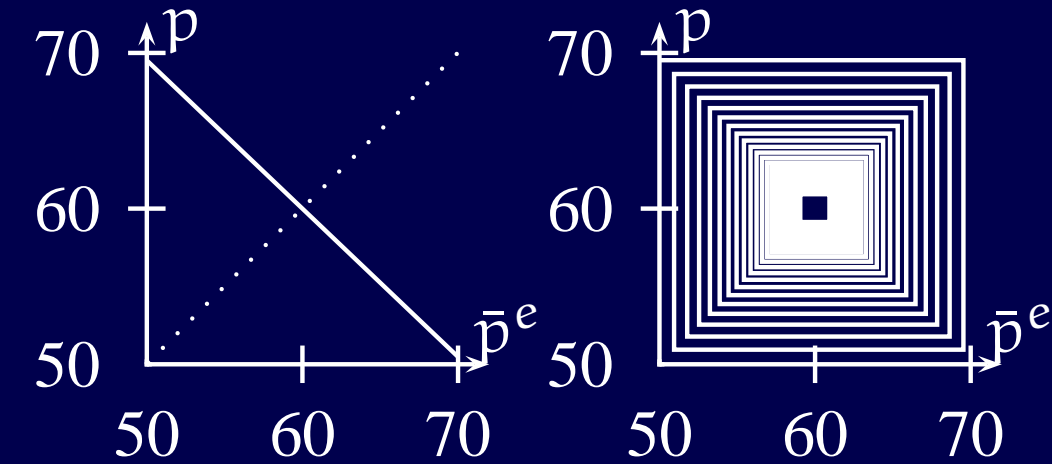
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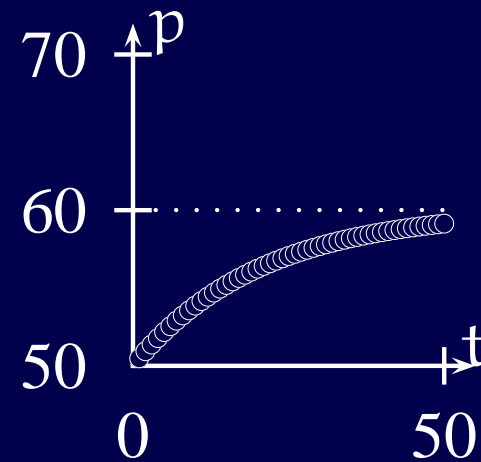
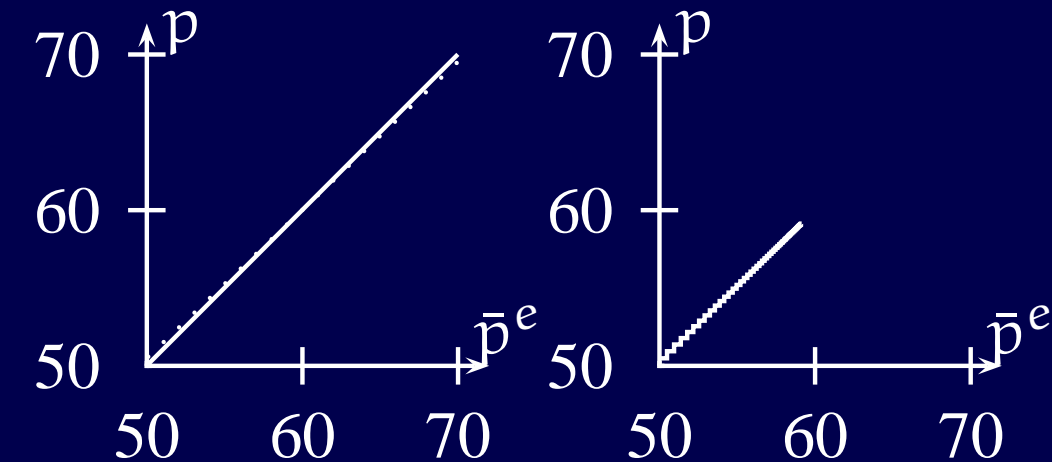
Dynamics

negative: $p = \frac{20}{21} (123 - \bar{p}^e) + \epsilon_t$

adaptive



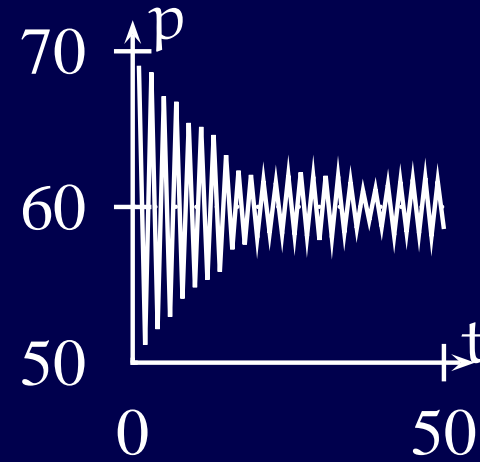
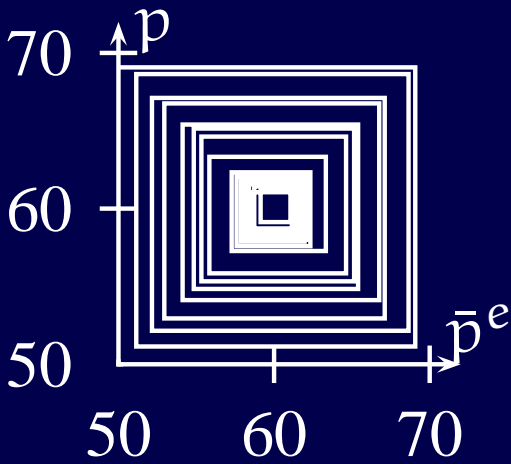
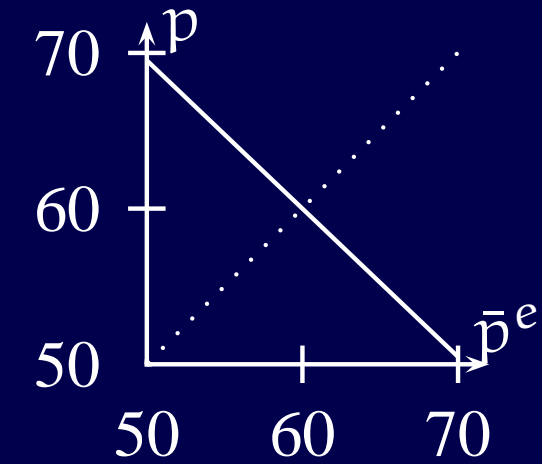
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Dynamics

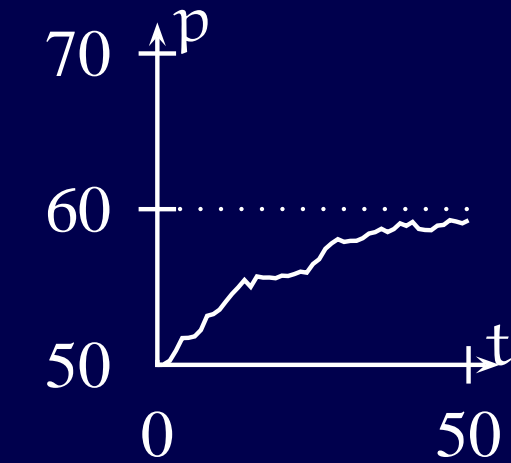
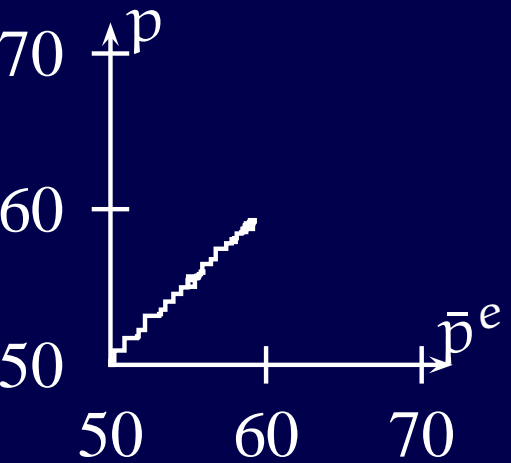
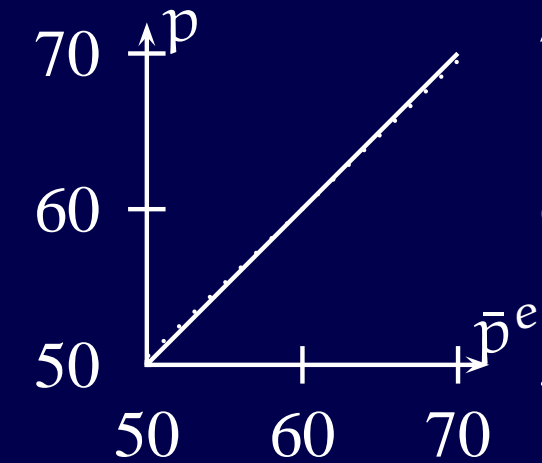
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adaptive



why the noise?

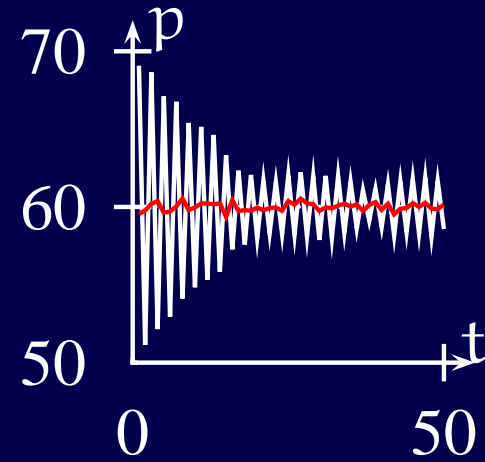
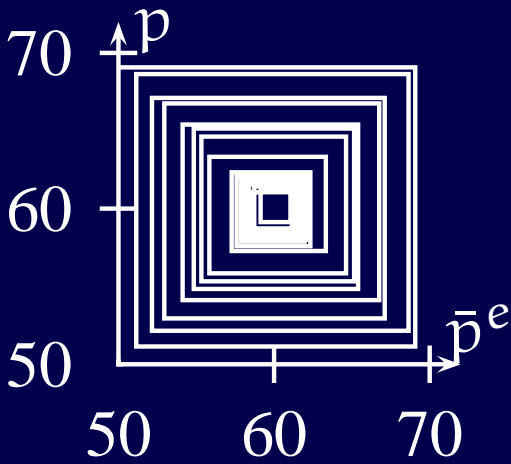
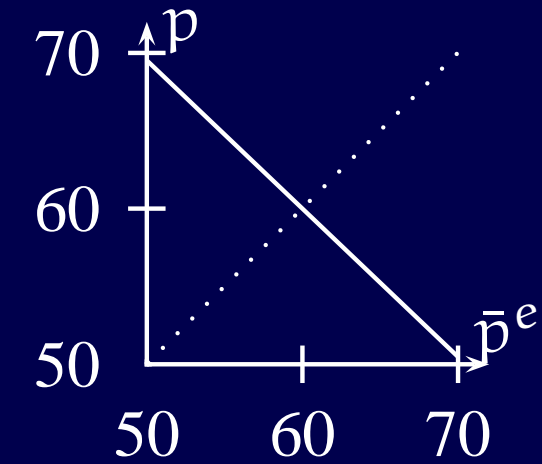
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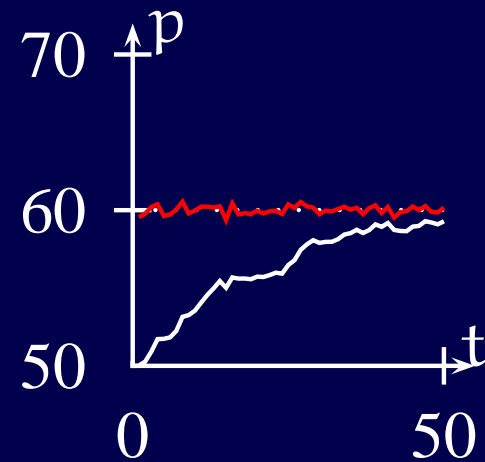
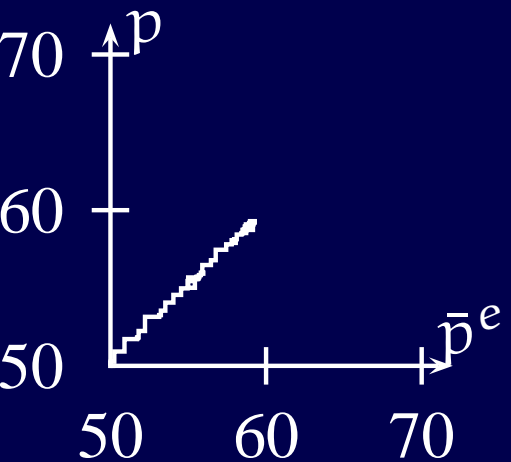
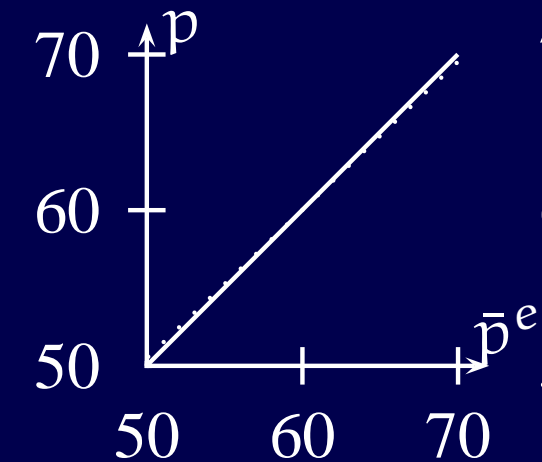
Dynamics

negative: $p = \frac{20}{21} (123 - \bar{p}^e) + \epsilon_t$

adaptive
rational exp.



positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$

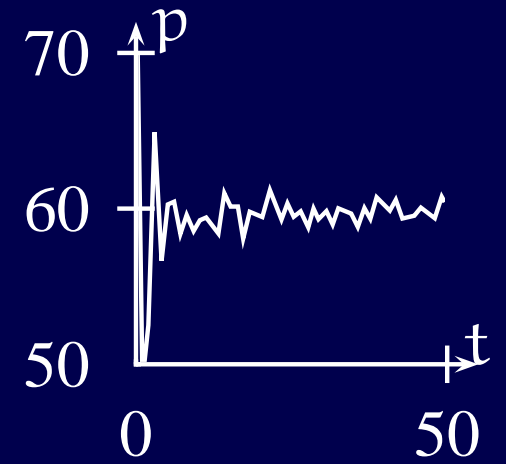
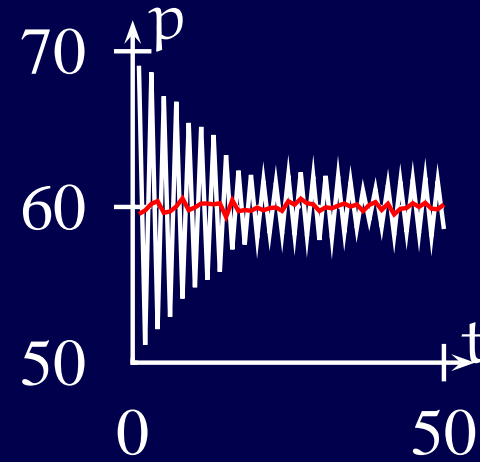
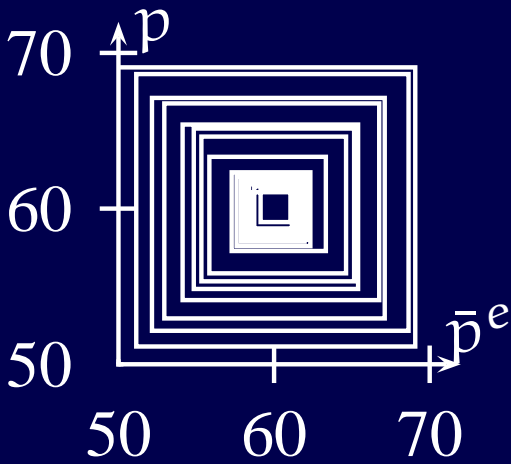
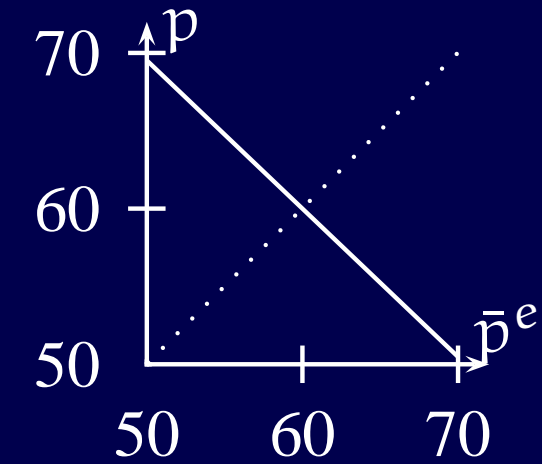


Dynamics

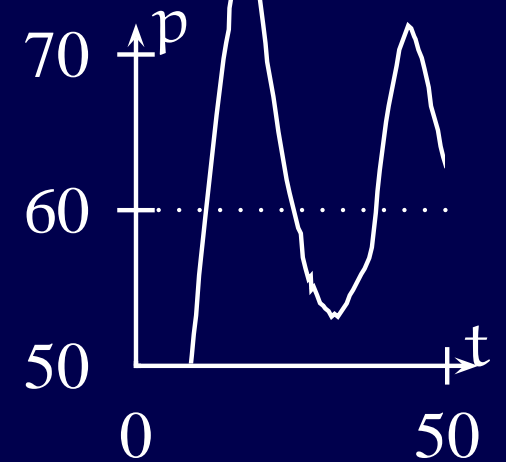
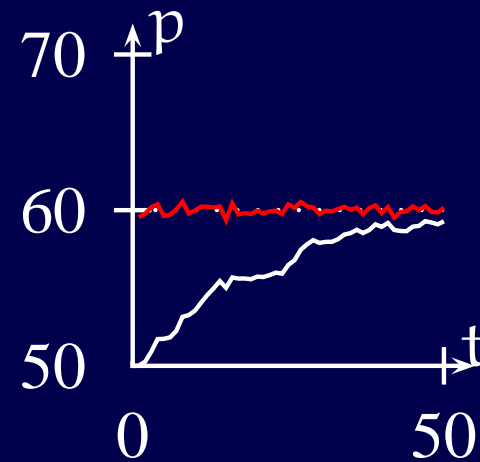
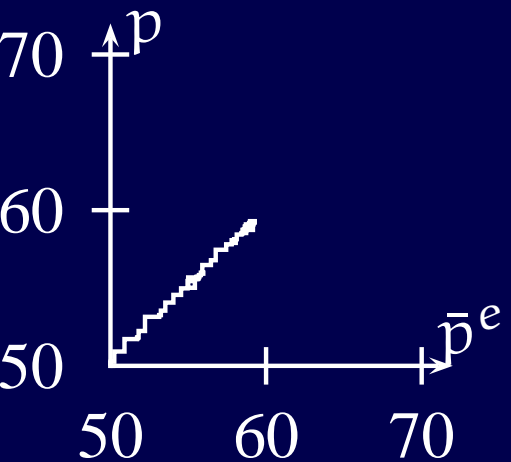
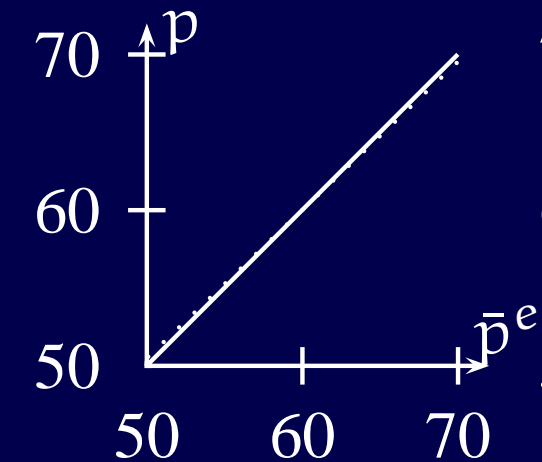
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adaptive
rational exp.

laboratory

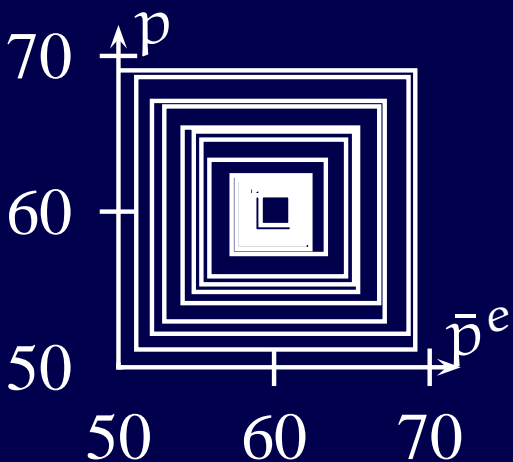
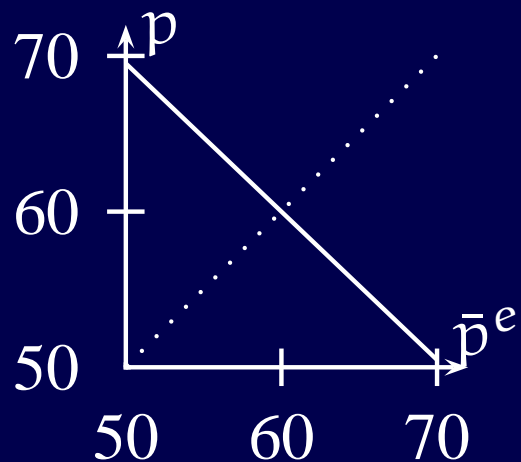


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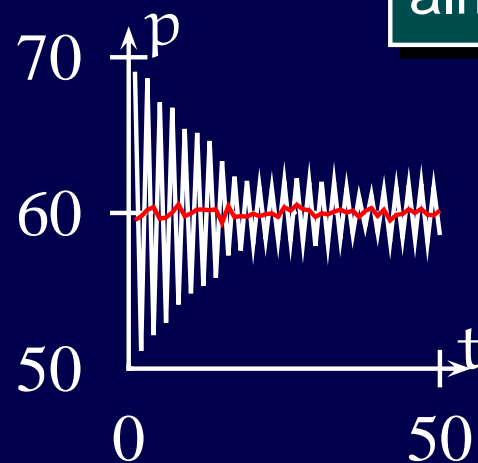


Dynamics

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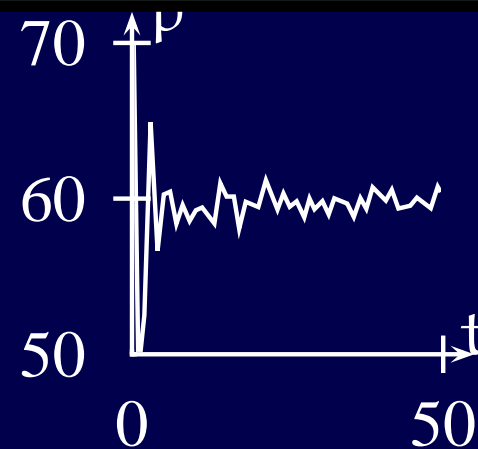


adaptive
rational exp.

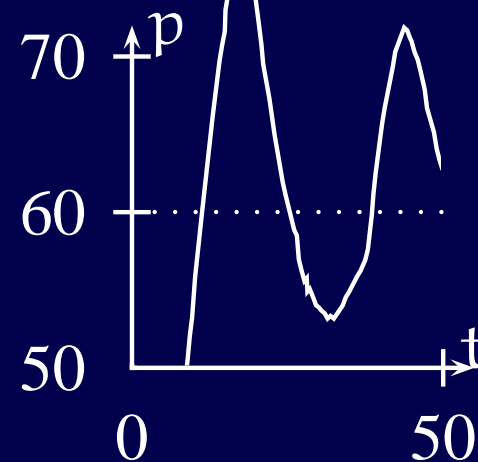
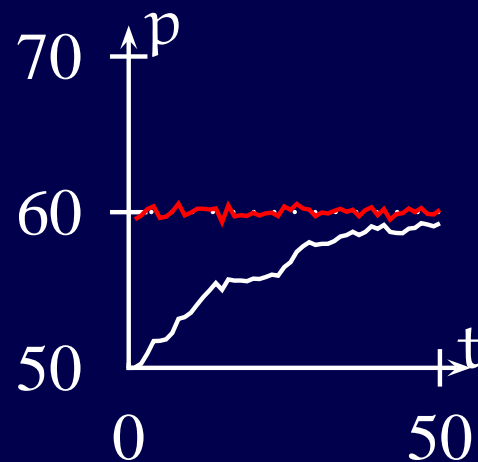
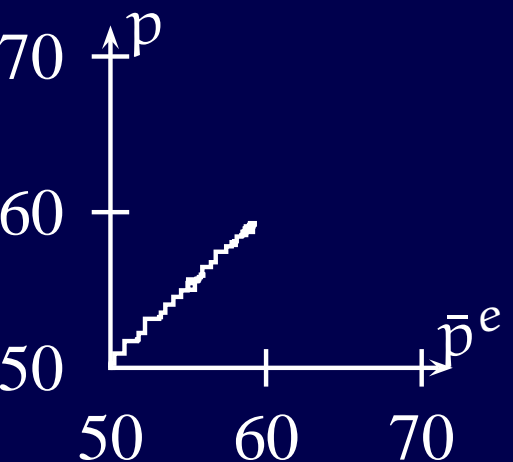
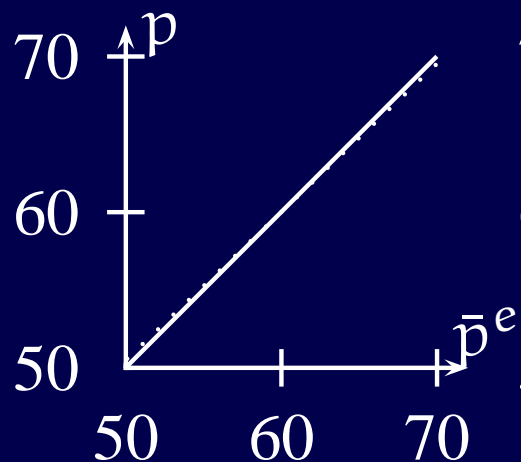


laboratory

almost rational expectations



positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$



Dynamics

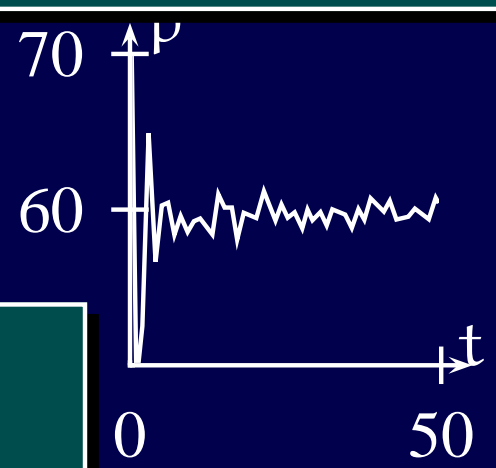
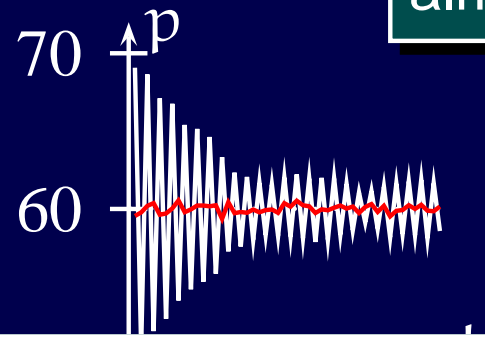
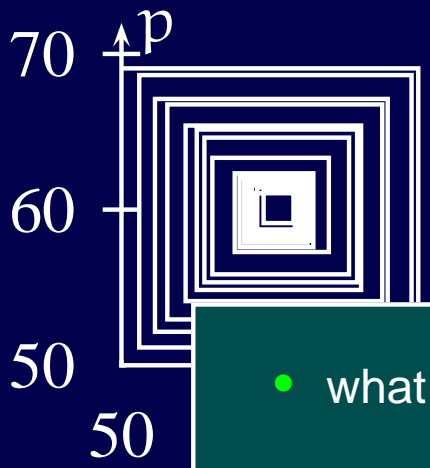
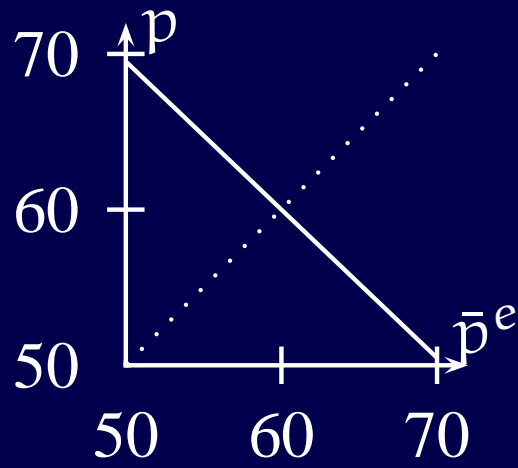
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adaptive

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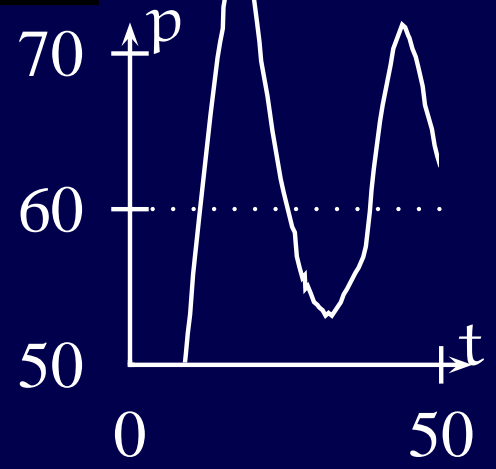
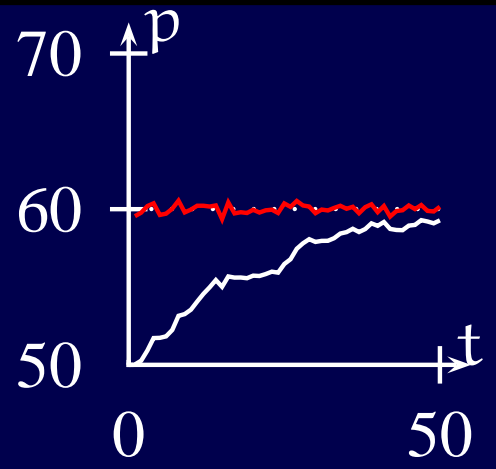
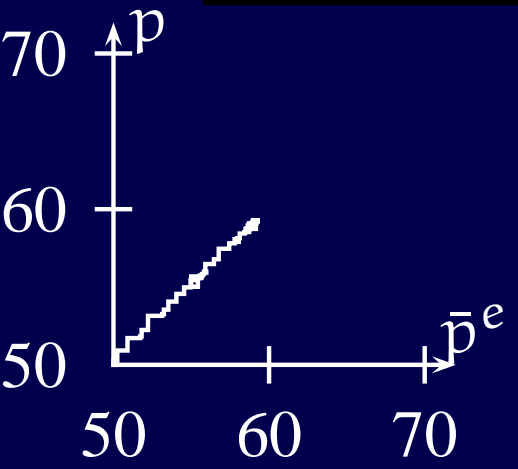
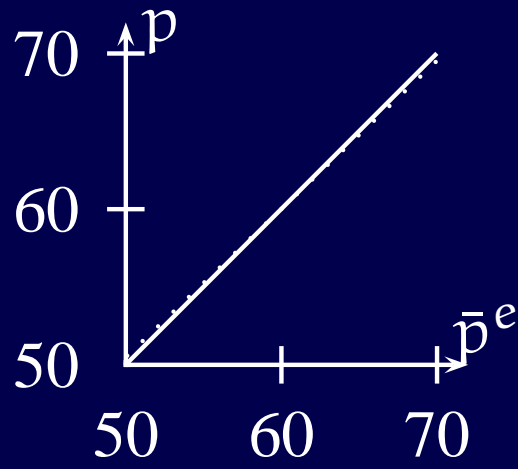
laboratory

almost rational expectations



• what is going on here?

positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$



Dynamics

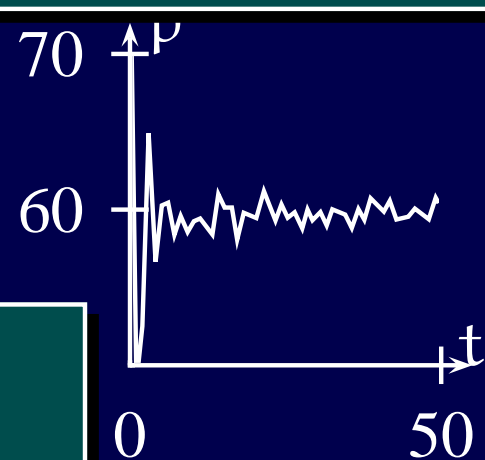
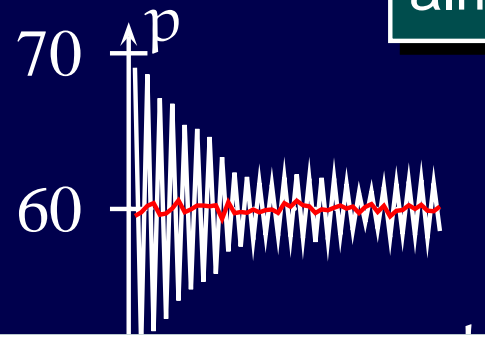
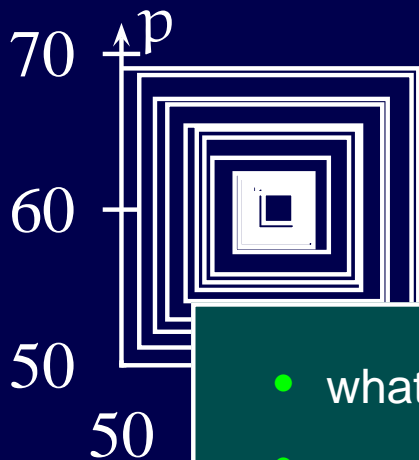
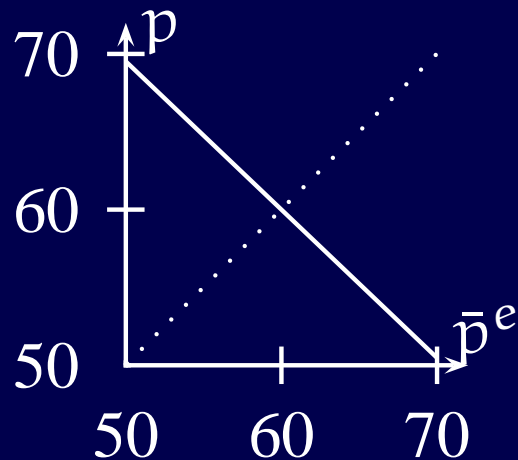
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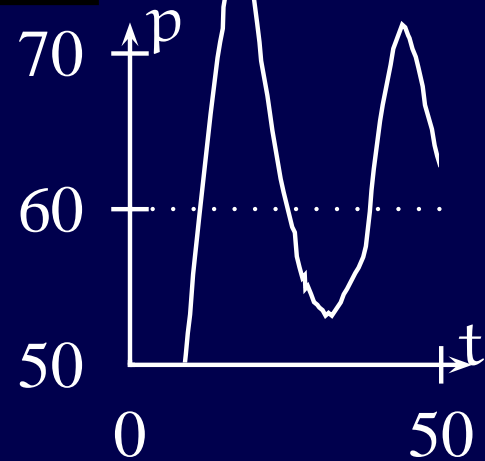
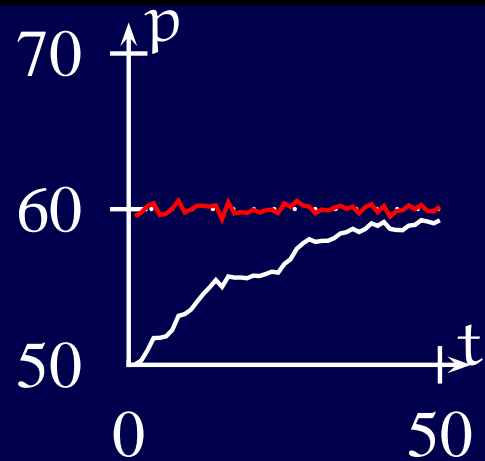
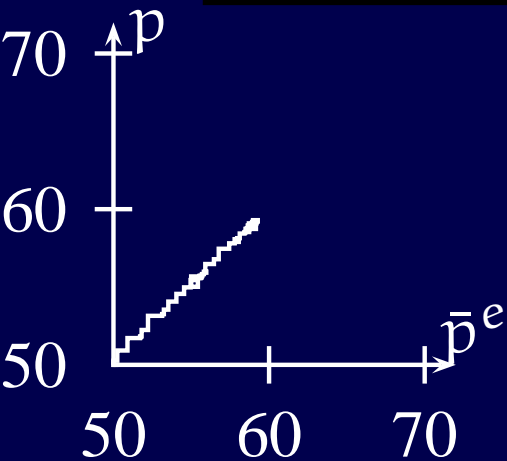
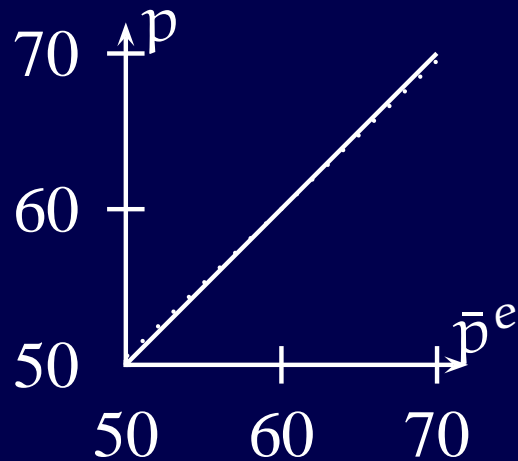
laboratory

almost rational expectations



- what is going on here?
- coordination game

positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$



Dynamics

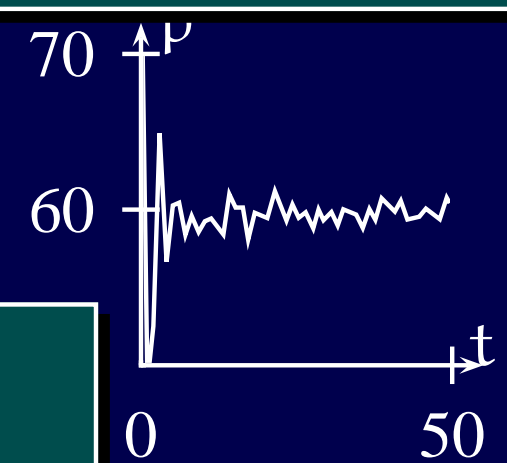
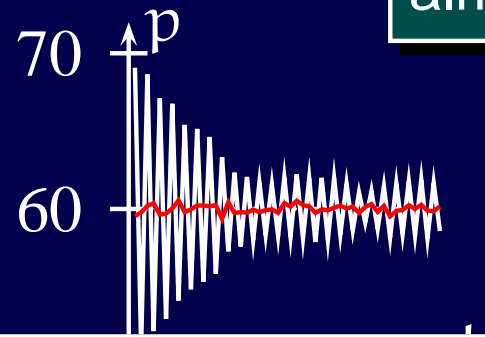
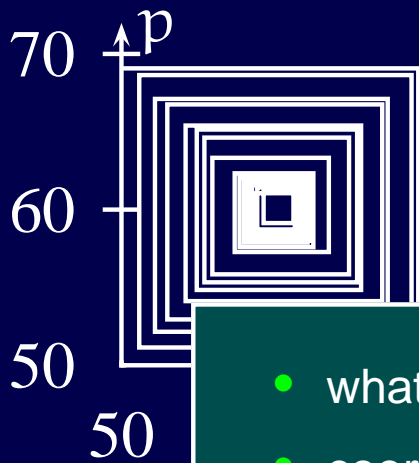
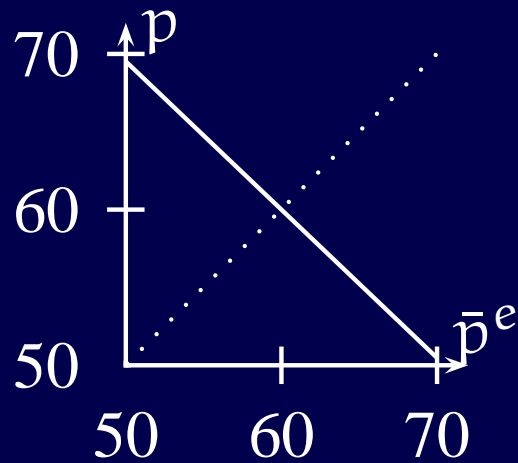
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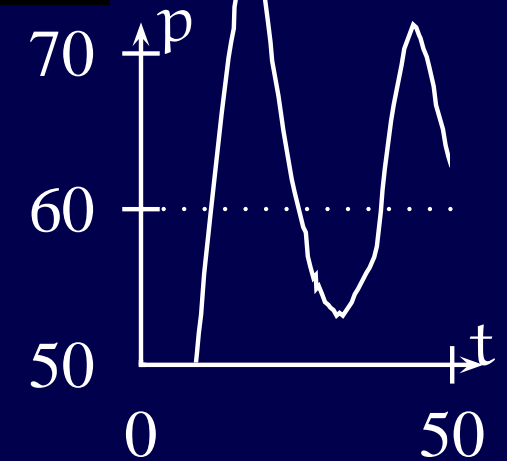
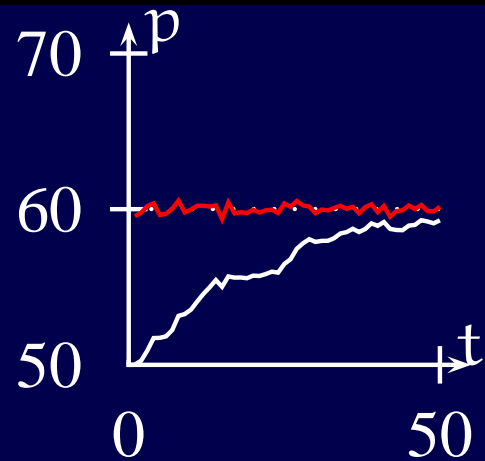
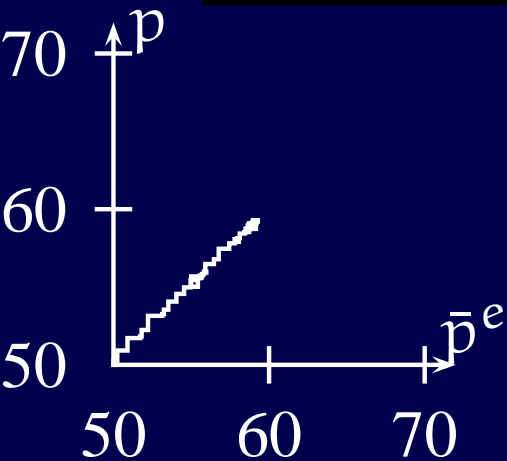
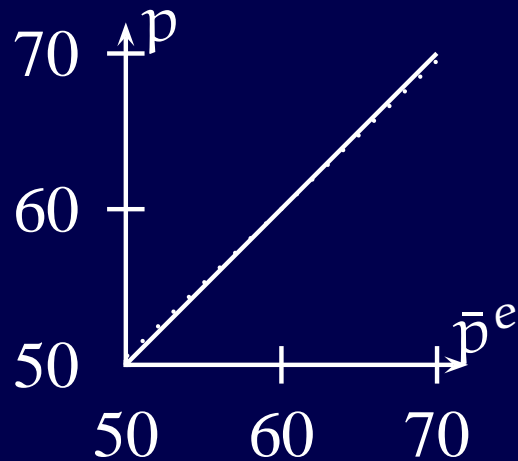
laboratory

almost rational expectations



- what is going on here?
- coordination game
- how much depends on parameters?

positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$



Dynamics

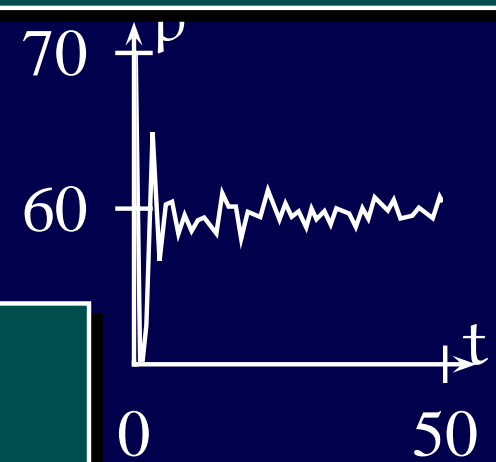
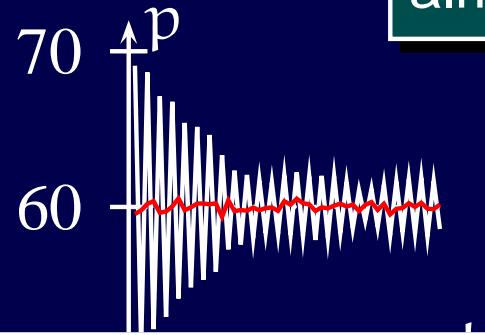
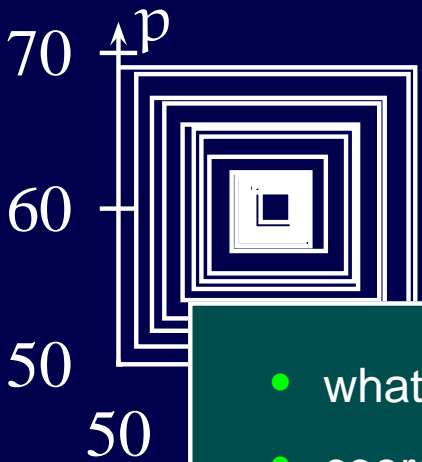
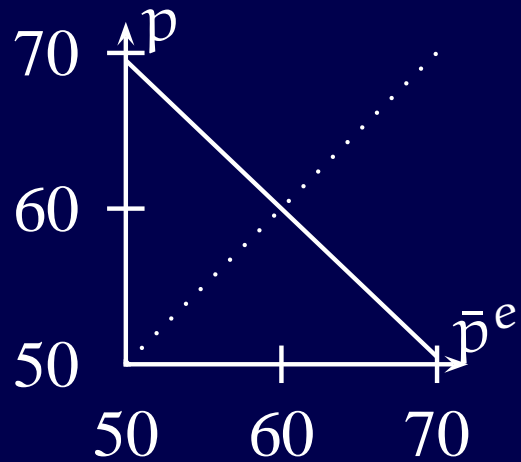
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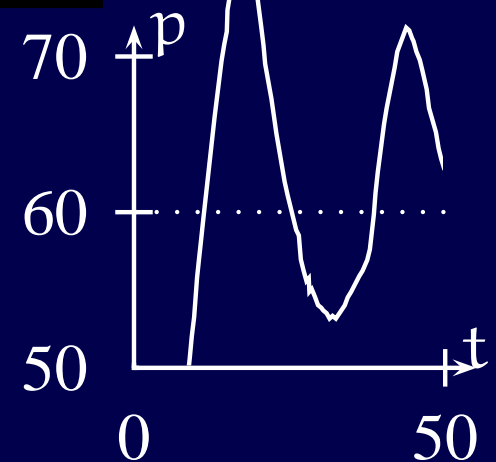
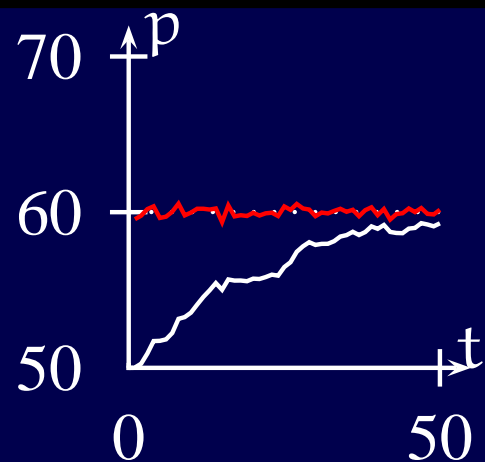
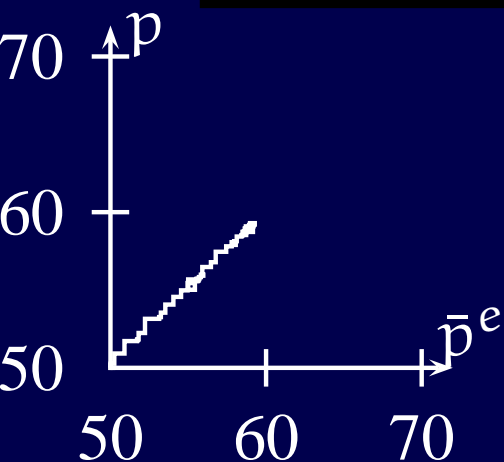
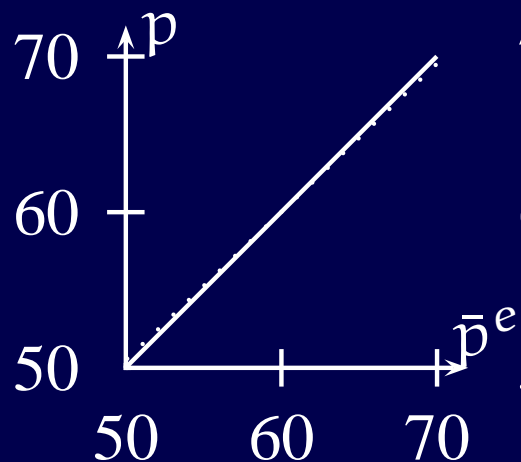
laboratory

almost rational expectations



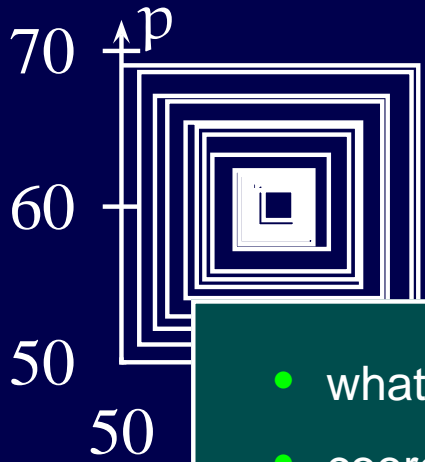
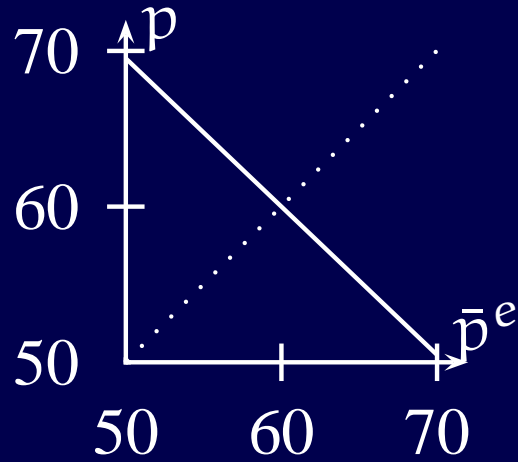
- what is going on here?
- coordination game
- how much depends on parameters?
- is this robust to $\frac{20}{21}$?

positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$

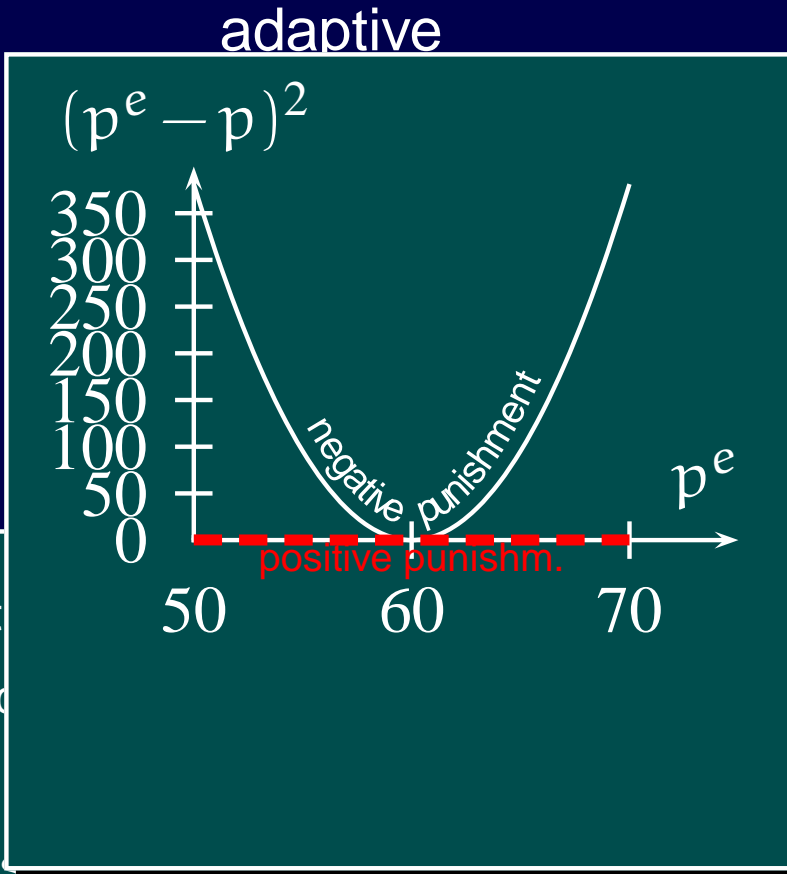


Dynamics

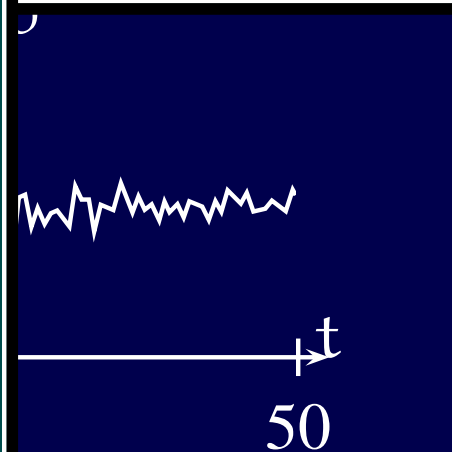
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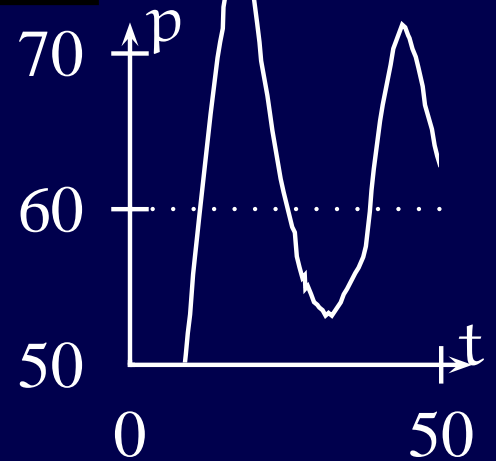
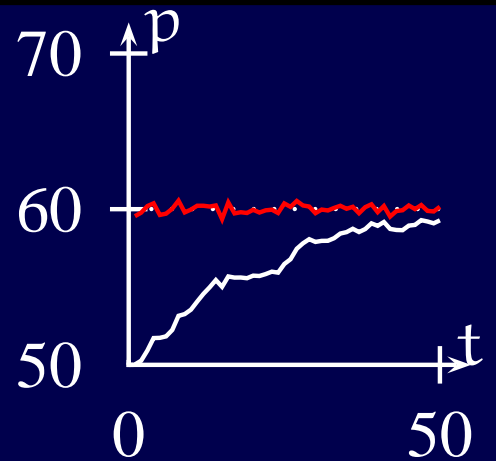
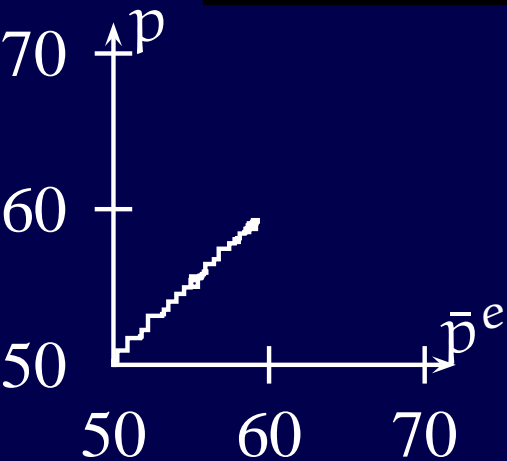
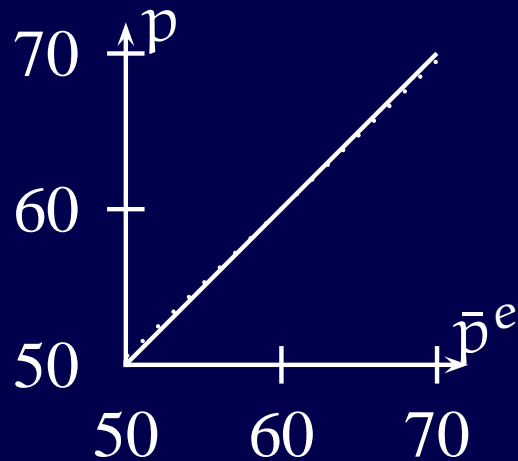
- what
- coord
- how
- is this



laboratory
onal expectations

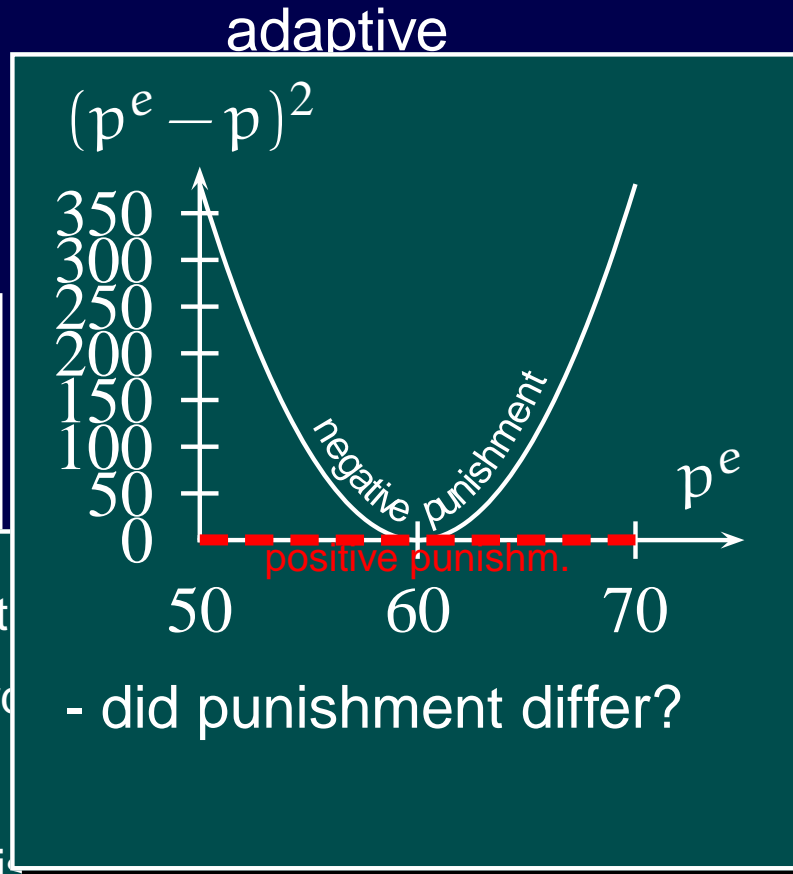
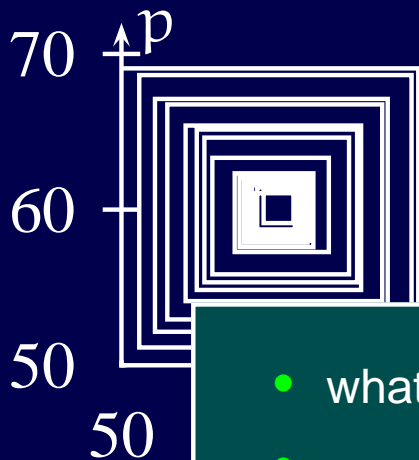
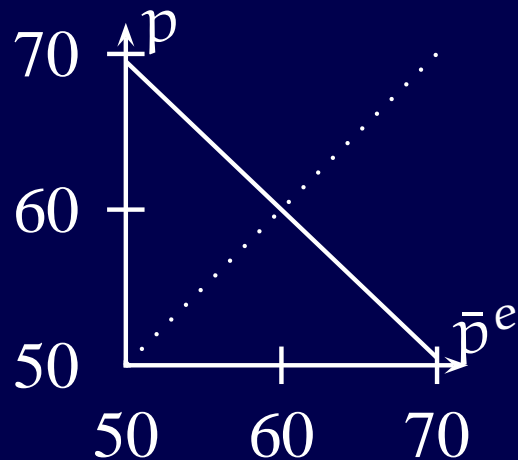


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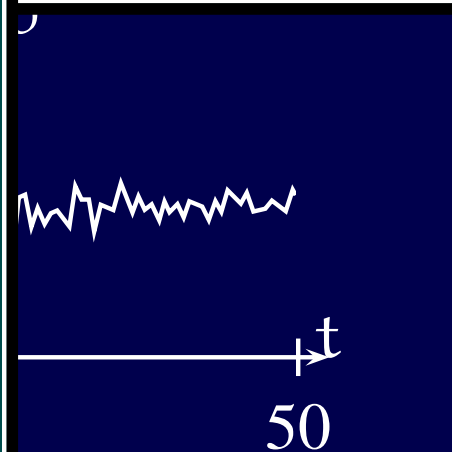
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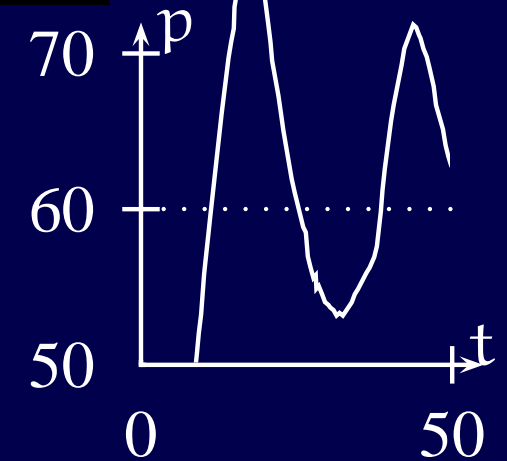
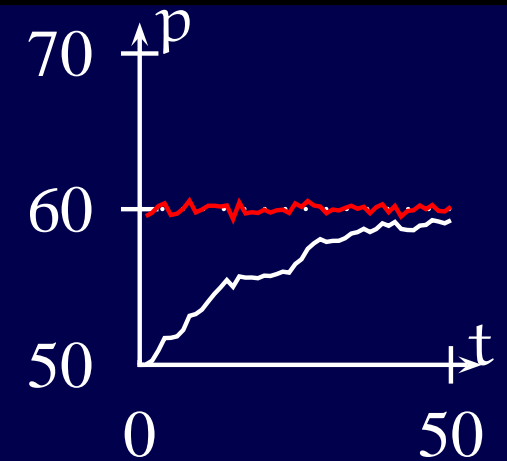
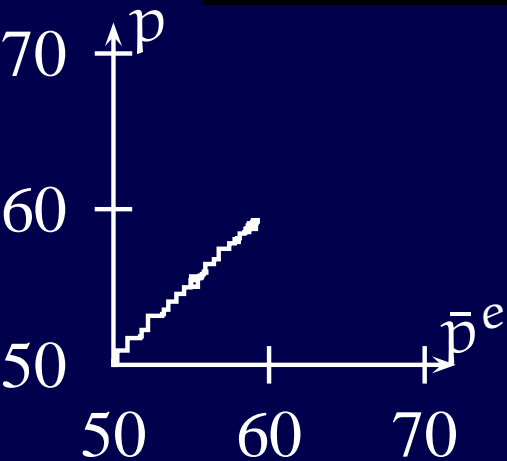
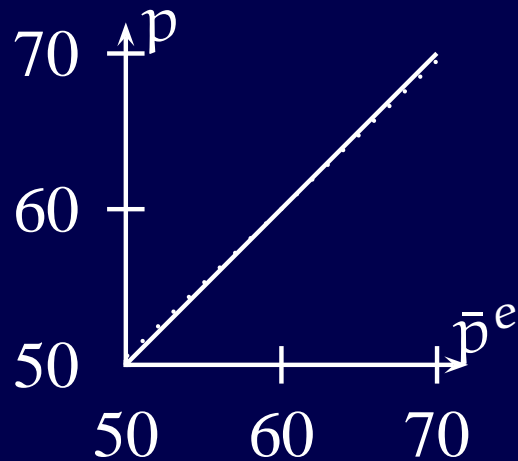


- what
- coord
- how
- is this

laboratory
 onal expectations

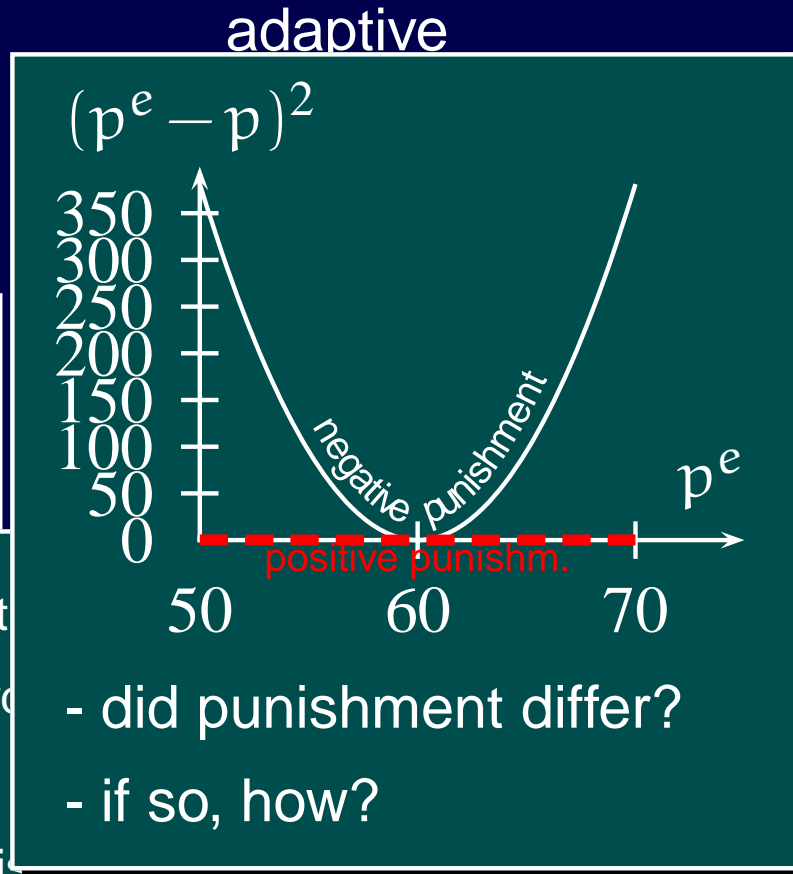
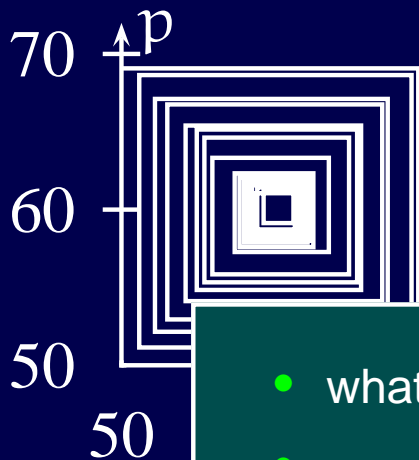
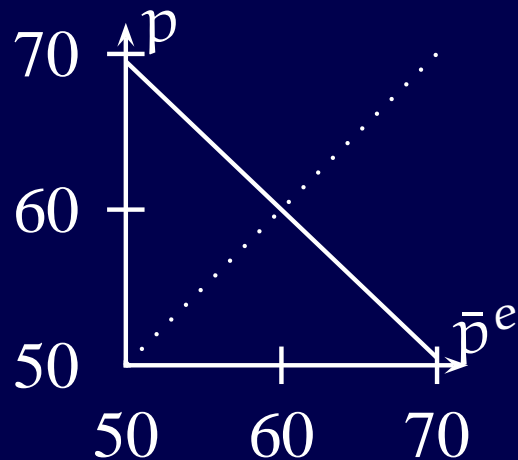


positive: $p = \frac{20}{21} (3 + \bar{p}^e) + \epsilon_t$



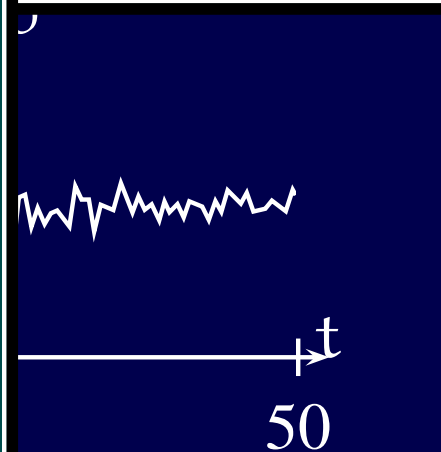
Dynamics

negative: $p = \frac{20}{21} (123 - \bar{p}^e) + \epsilon_t$

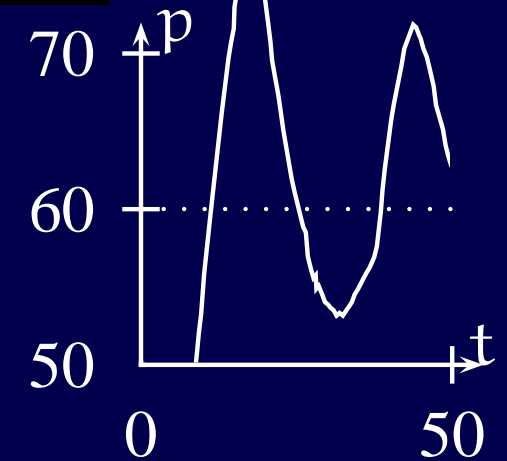
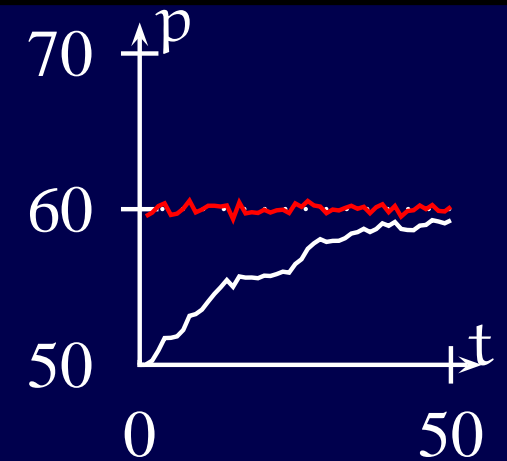
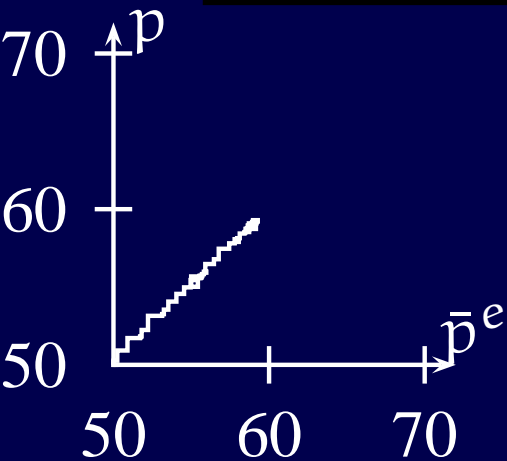
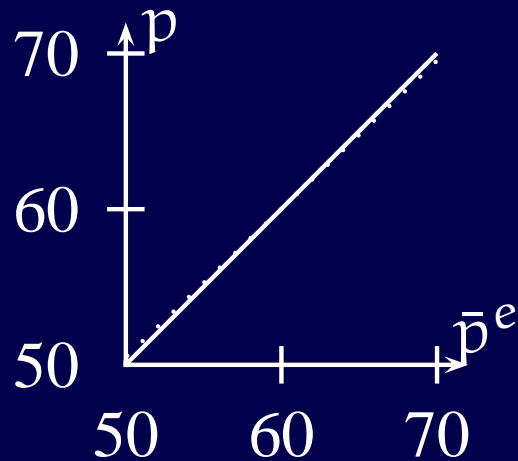


laboratory

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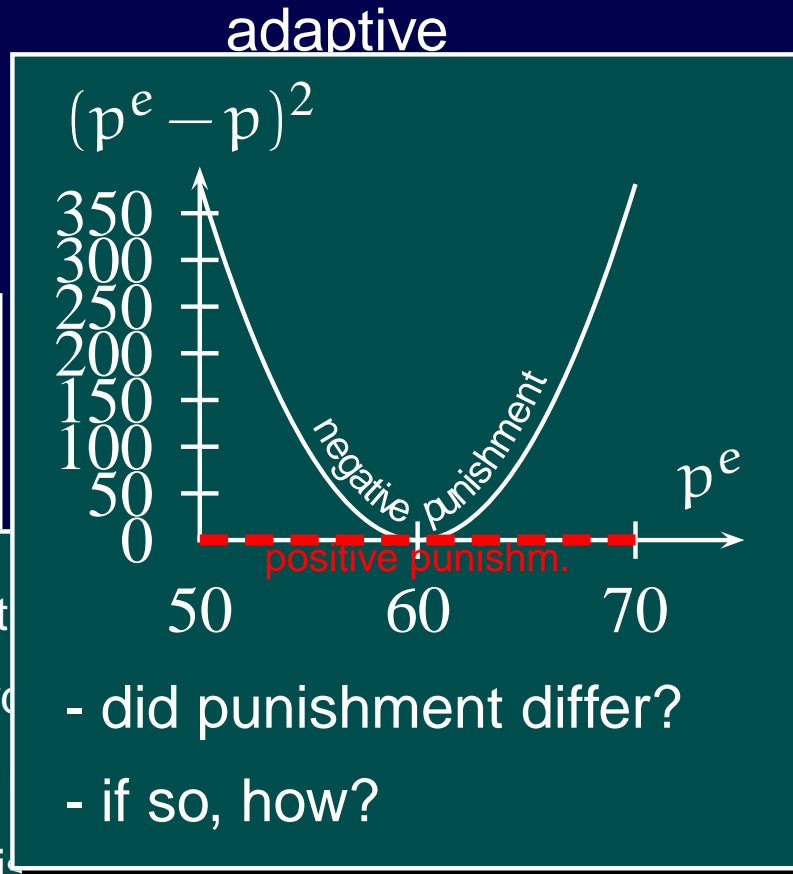
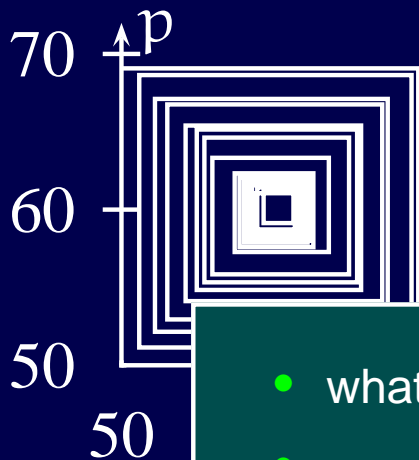
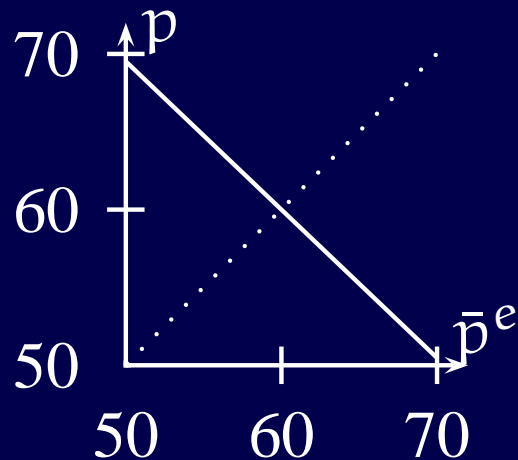


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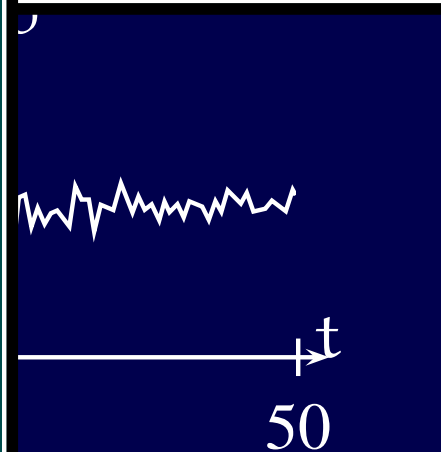


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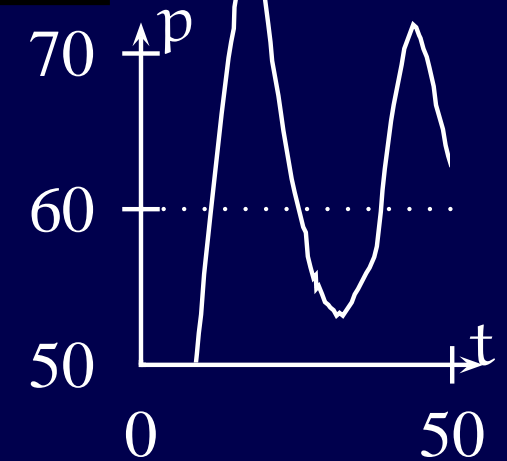
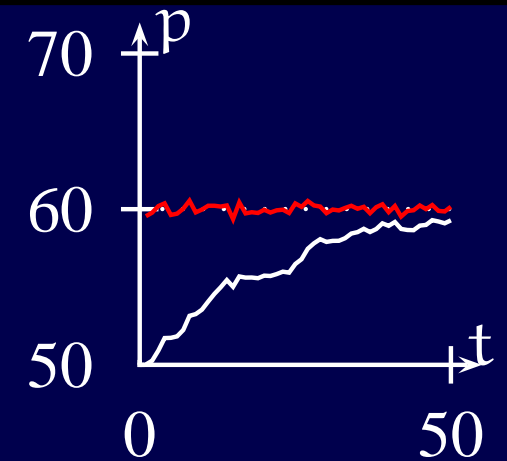
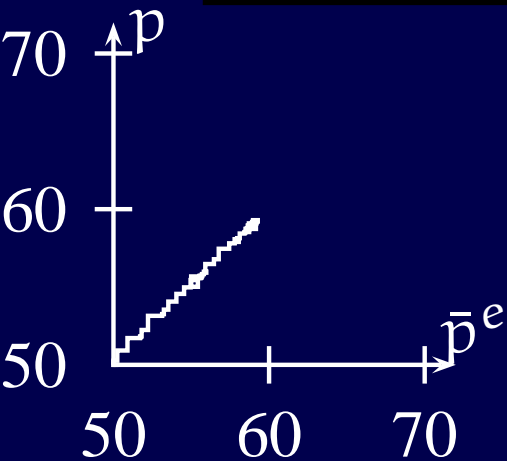
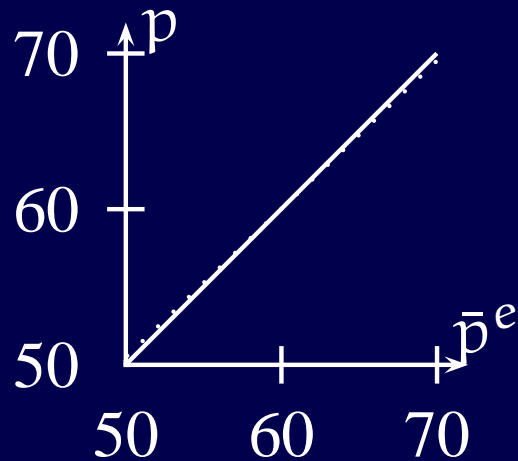
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laboratory
rational expectations



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Results

Results

71 out of 78 participants follow

$$p_{h,t}^e = c + \beta_1 p_{t-1} + \beta_2 p_{t-2} + \beta_3 p_{t-3} + \gamma_1 p_{h,t-1}^e + \gamma_2 p_{h,t-2}^e + \gamma_3 p_{h,t-3}^e + v_t$$

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40 out of 78 participants follow

$$p_{h,t}^e = \underbrace{(1 - \beta_1 - \gamma_1)}_{\text{neg}} \cdot 60 + \underbrace{\beta_1}_{\text{neg,pos}} p_{t-1} + \underbrace{\gamma_1}_{\text{pos}} p_{h,t-1}^e + \underbrace{\alpha_1}_{\text{pos}} (p_{t-1} - p_{t-2}) + v_t$$

Results II

40 out of 78 participants follow

$$p_{h,t}^e = \underbrace{(1 - \beta_1 - \gamma_1)}_{\text{neg}} \cdot 60 + \underbrace{\beta_1}_{\text{neg,pos}} p_{t-1} + \underbrace{\gamma_1}_{\text{pos}} p_{h,t-1}^e + \underbrace{\alpha_1}_{\text{pos}} (p_{t-1} - p_{t-2}) + v_t$$

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Conclusion:

- feedback structure (pos/neg) matters

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Conclusion:

- feedback structure (pos/neg) matters
- when and how does it matter?

Results II

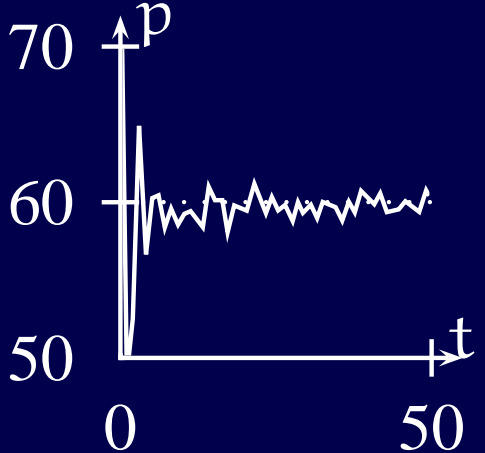
40 out of 78 participants follow

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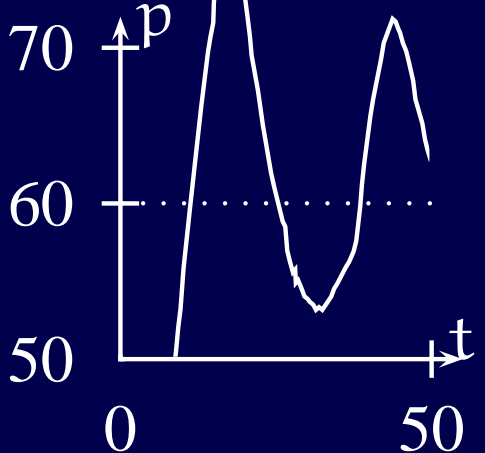
Conclusion:

- feedback structure (pos/neg) matters
- when and how does it matter?
- could these expectations explain the lab dynamics?

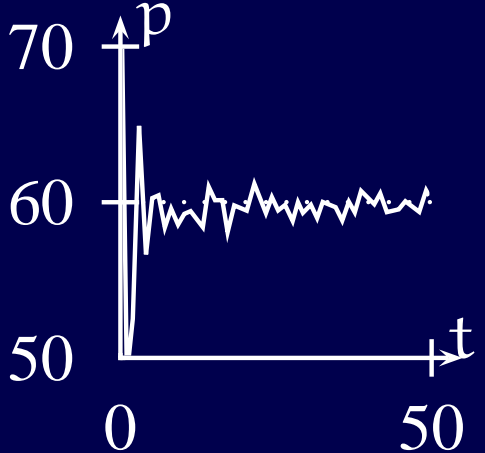
Lab (negative)



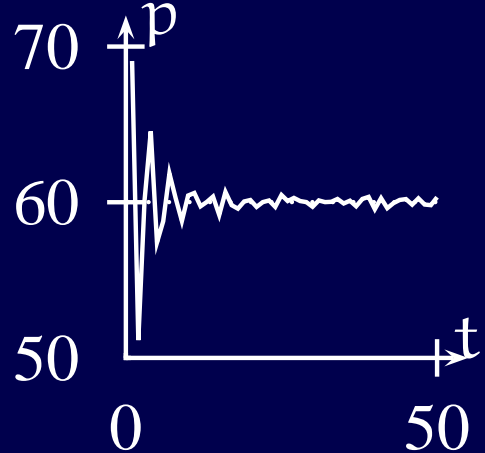
Lab (positive)



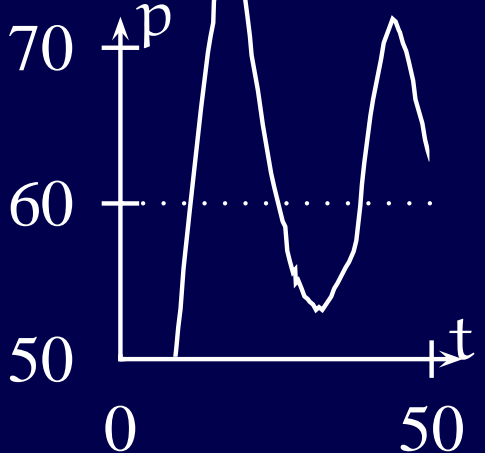
Lab (negative)



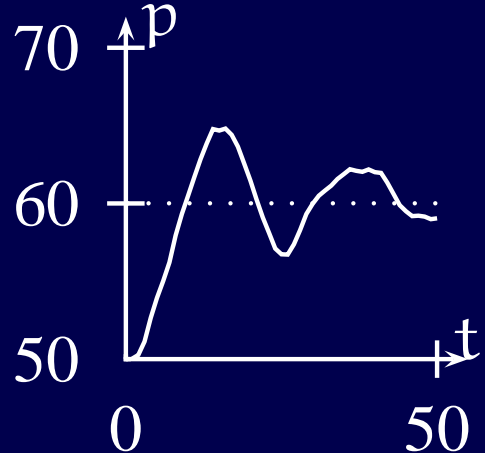
$$p_{h,t}^e = p_{t-1} - 0.5 \cdot (p_{t-1} - p_{t-2})$$



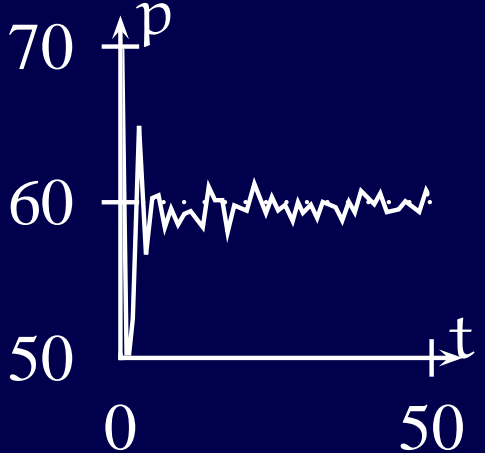
Lab (positive)



$$p_{h,t}^e = p_{t-1} + .9 \cdot (p_{t-1} - p_{t-2})$$



Lab (negative)

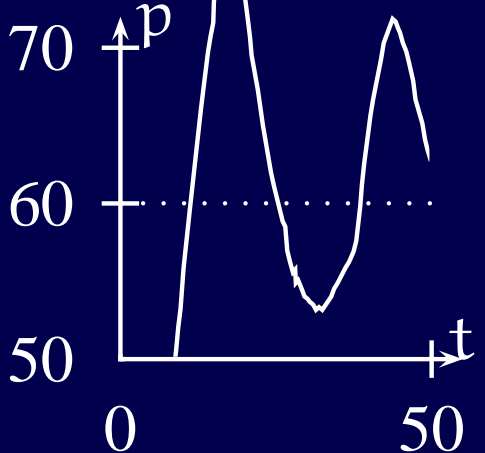


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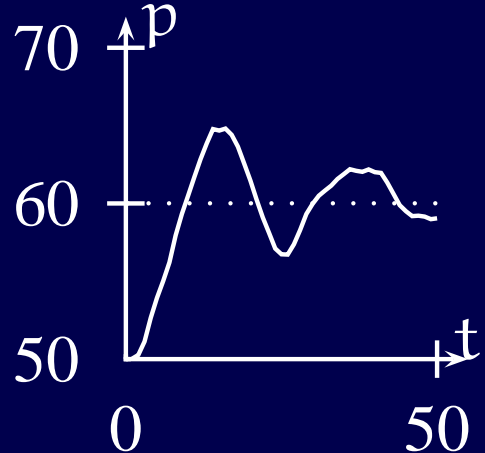


is the dynamics essentially different?

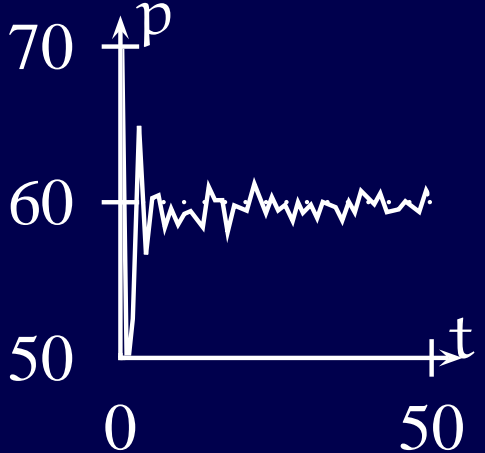
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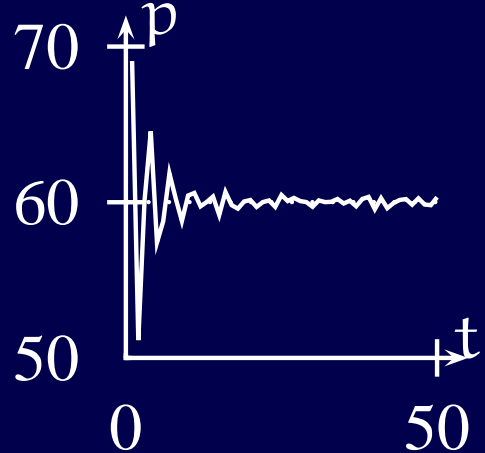
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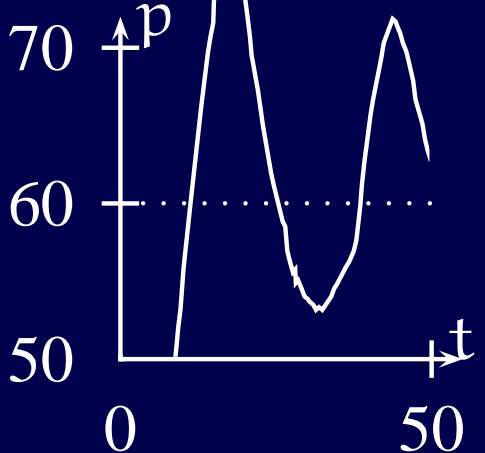
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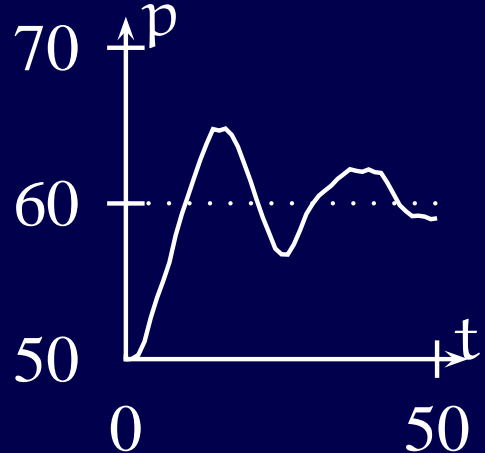
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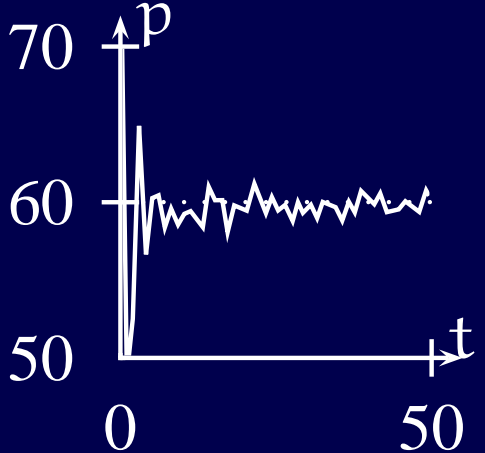
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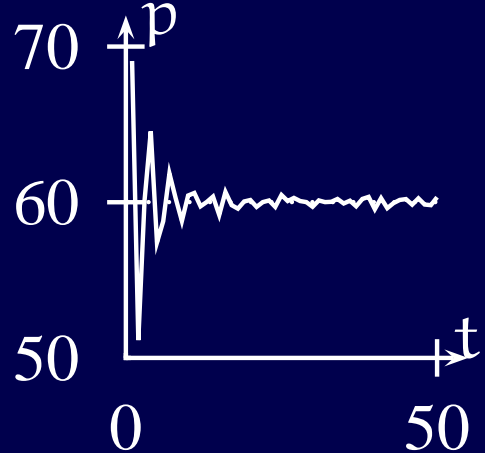
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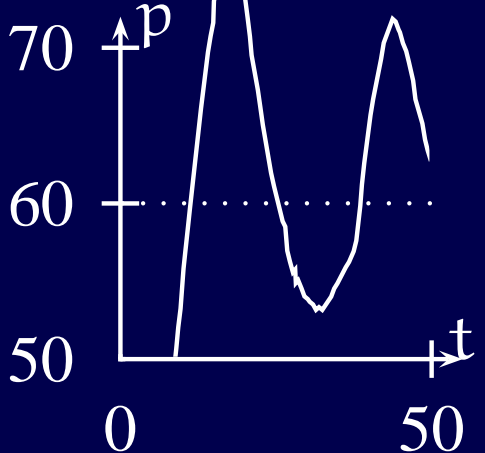


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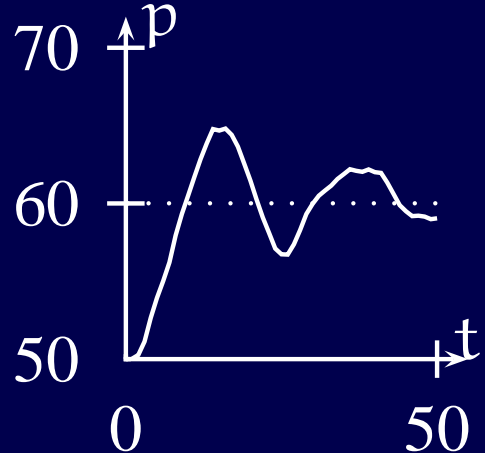


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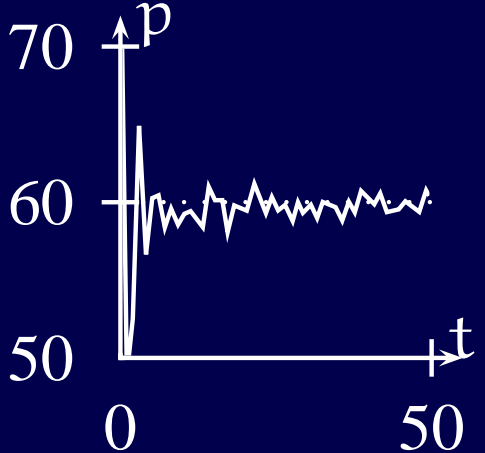


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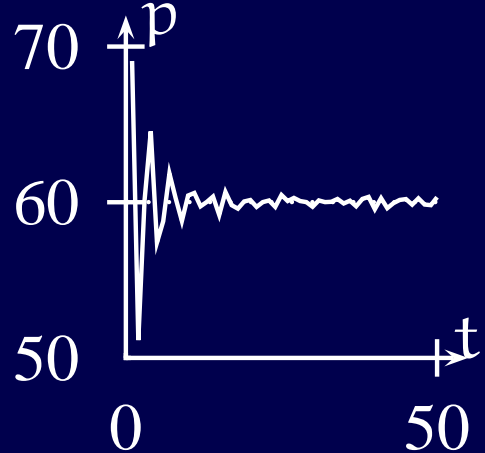


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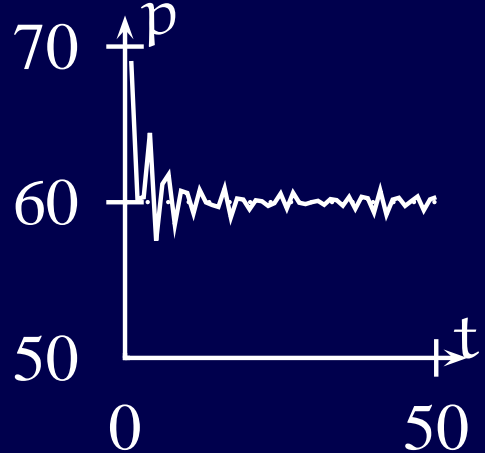
Lab (negative)



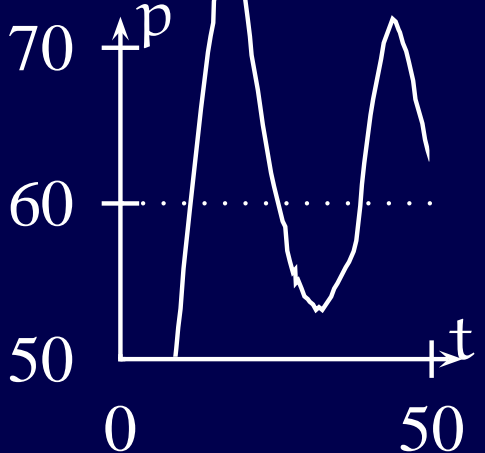
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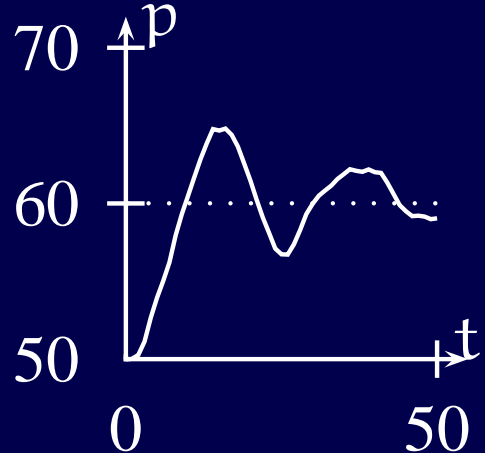
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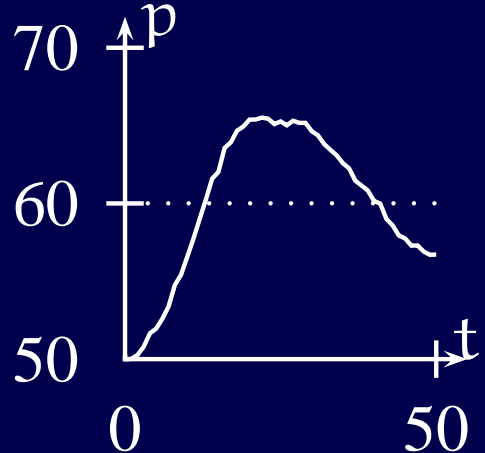
Lab (positive)



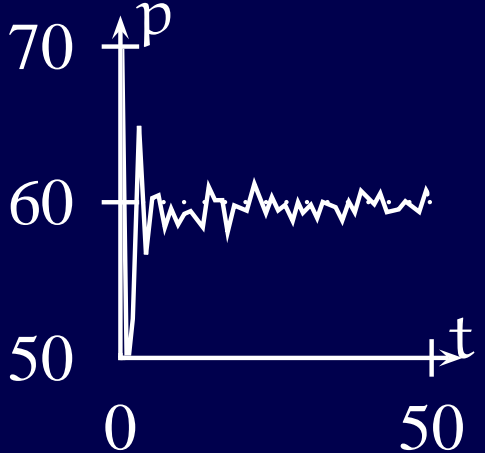
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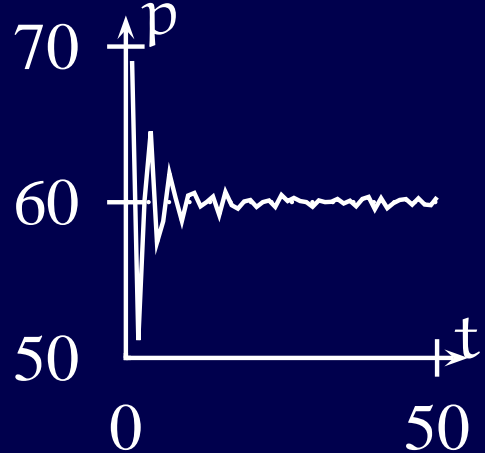
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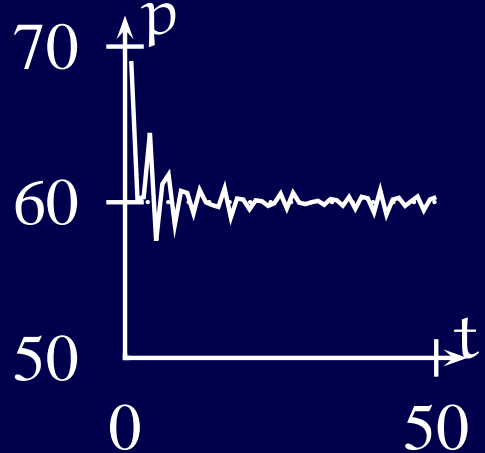
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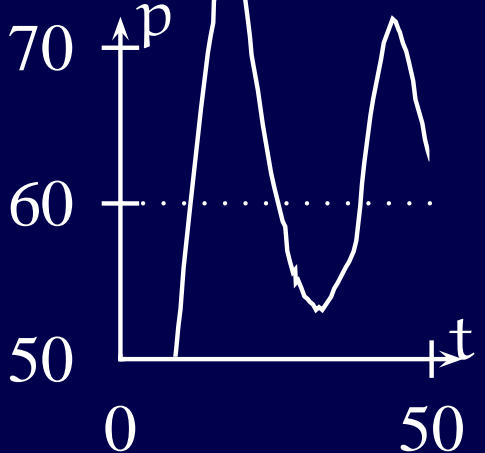
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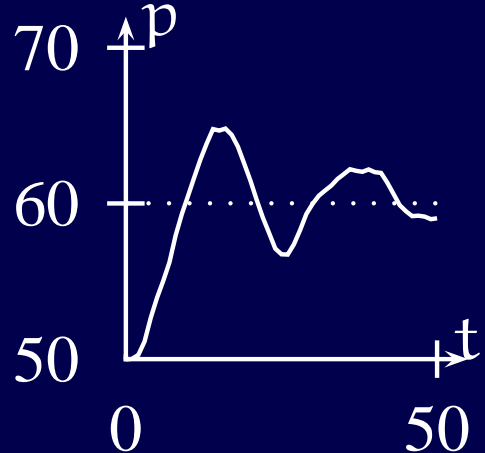
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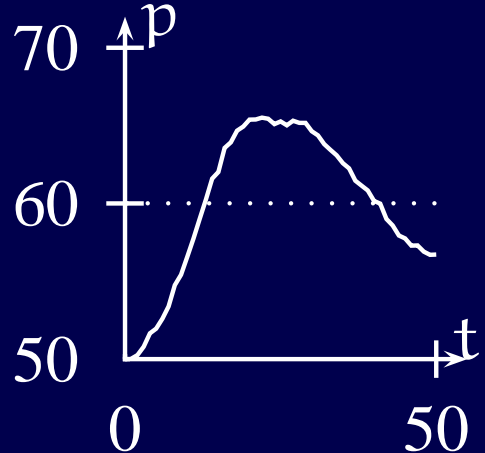
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$$p_{h,t}^e = \frac{1}{2} p_{h,t-1}^e + \frac{1}{2} (p_{t-1} + \frac{1}{2} (p_{t-1} - p_{t-3}))$$



Summary

- why the noise?
- how much depends on parameters?
- how crucial is 20/21?
- did punishment differ in the experiment?
- if so, how?
- should we use this experimental setup to estimate $p^e(\dots)$?
 - do we have experimental control over beliefs of participants?
 - what do they know about the feedback process?
 - what do they know about interaction with other participants?
 - shouldn't we give participants more clues about what is going on?
- *how* does the feedback structure matter?
- could these expectations explain the lab dynamics
- is the dynamics really essentially different?