

Capital controls: a normative analysis¹

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¹The views expressed in this paper are those of the authors, and not necessarily those of the Federal Reserve Bank of New York or the Federal Reserve Board.

Motivation

- ▶ Countries' concerns with the value of their currency have been extensively documented
 - ▶ ...and the rationale for this has been the topic of a large literature on monetary policy in open economies
- ▶ But capital controls also can be (and often are) used as tool to manage exchange rate fluctuations
 - ▶ Recent examples: Brazil, Turkey, China
- ▶ This paper: shed light on whether countries can in fact benefit from using such tool and what could be the global consequences

Outline of the Paper

Question: Can capital controls be beneficial for individual countries?

Answer: Yes! But taxes on international borrowing and lending would limit international risk sharing and have adverse effect for global welfare

Question: Could such taxes be used to improve risk sharing?

Answer: Yes! But countries do not have this incentive

Conclusion: There is a role for international policy coordination

Outline of the Paper (2)

Approach: We develop a welfare-based analysis of whether and how countries should tax international borrowing/lending:

- ▶ We derive the optimal policy that maximizes local welfare
- ▶ and the policy that maximizes global welfare (or the coordinated policy)
- ▶ and the Nash equilibrium (or the uncoordinated policy)

Related Literature

Normative analysis of capital controls

- ▶ Capital controls can improve welfare by reducing the probability of financial crises (or their costs): Benigno et al (2010), Korinek (2012), Bianchi (2011), Bianchi and Mendoza (2011).
- ▶ Capital controls can increase welfare of individual countries by affecting intertemporal prices: Costinot et al (2011)
- ▶ **In our work, capital controls can be useful for 2 reasons:**
 - ▶ ...to improve consumption risk-sharing when there is an imperfect access to international borrowing/lending
Incomplete markets and risk-sharing: e.g. Cole and Obstfeld (1991), Baxter and Crucini (1995), Corsetti, Dedola and Leduc (2008)
 - ▶ ...to change the composition of demand
Terms of trade externality: e.g. Corsetti and Pesenti (2001), Benigno and Benigno (2003), Sutherland (2006)

Model

Two-country model:

- ▶ Households supply labor and consume Home and Foreign goods (home bias and non-unitary trade elasticity)
- ▶ Firms take prices as given, producer currency pricing (law of one price holds)
- ▶ Asset Markets: households have access to a non-state contingent international real bond (incomplete markets)
- ▶ Stochastic environment: persistent domestic and foreign productivity shocks

Households

- ▶ Utility:

$$U_t = E_t \sum_{s=t}^{\infty} \beta^{s-t} \left[\log C_s - \frac{N_s^{1+\eta}}{1+\eta} \right].$$

- ▶ Home bias (Sutherland 2001): $(1 - \nu) = (1 - n)\lambda$

$$C = \left[\nu^{\frac{1}{\theta}} C_H^{\frac{\theta-1}{\theta}} + (1 - \nu)^{\frac{1}{\theta}} C_F^{\frac{\theta-1}{\theta}} \right]^{\frac{\theta}{\theta-1}}.$$

- ▶ Production: $n(1 - n)$ goods produced in the Home (Foreign) economy

Asset Markets

Households' budget constraint

$$C_t + B_{F,t} \leq B_{F,t-1} \frac{Q_t R_{t-1}^* (1 + \tau_{t-1})}{Q_{t-1}} + p_{H,t} (Y_t + Tr_t) - \frac{\delta B_{F,t}^2}{2}$$
$$C_t^* + B_{F,t}^* \leq B_{F,t-1}^* R_{t-1}^* (1 + \tau_{t-1}^*) + p_{F,t}^* (Y_t^* + Tr_t^*)$$

- ▶ $B_{F,t} < 0, \tau_t > 0$: Tax on international borrowing/capital inflow
- ▶ $B_{F,t} < 0, \tau_t < 0$: Subsidy on international borrowing/capital inflow
- ▶ $B_{F,t} > 0, \tau_t > 0$: Subsidy on international lending/capital outflow
- ▶ $B_{F,t} > 0, \tau_t < 0$: Tax on international lending/capital outflow

- ▶ Home (Foreign) taxes rebated to Home (Foreign) households as transfers.
- ▶ Adjustment costs faced by Home paid to Foreign households also in the form of transfers

Economic inefficiencies

- ▶ Inability to fully share risk with the rest of the world

$$\frac{U_C(C_{t+1})}{U_C(C_t)} \frac{Q_{t+1}}{Q_t} - \frac{U_C(C_{t+1}^*)}{U_C(C_t^*)}$$

- ▶ Agents do not internalize the effect of their decisions on international relative prices (terms of trade externality)
 - ▶ Social planner in each country has an incentive to strategically manipulate the terms of trade
- ▶ (Fluctuations in the tax instrument itself create inefficiencies: distort households intertemporal decisions)

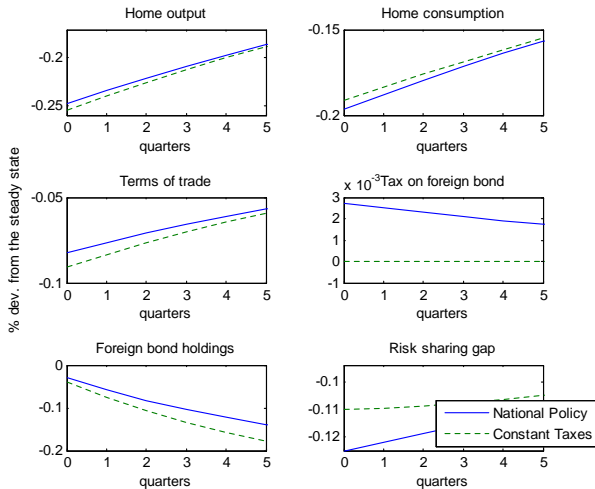
Calibration

Parameter values used in the quantitative analysis

Parameter	Value	Notes:
β	0.99	Quarterly model with 4% ss real interest rate
η	0.47	Following Rotemberg and Woodford (1997)
ρ	1	Log utility
λ	0.5; [0.1, 1]	Benchmark 0.5, but other values considered
n	0.5; [0.1, 0.9]	Benchmark 0.5, but other values considered
θ	3; [0.5, 3]	Benchmark 3, but other values considered
δ	0.01	Following Benigno (2009)
$sdv(\varepsilon), sdv(\varepsilon^*)$	0.71%	Following Kehoe and Perri (2002)
$\kappa^{(\varepsilon)}, \kappa^{(\varepsilon^*)}$	0.95	Following Kehoe and Perri (2002)

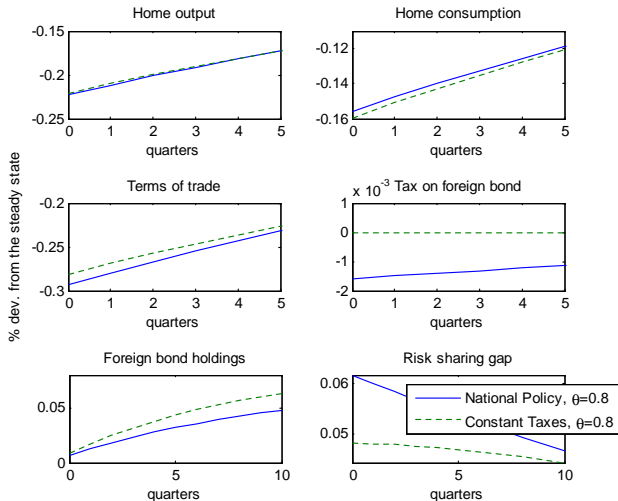
Optimal taxes under incomplete markets: maximizing national welfare

Impulse responses to a negative productivity shock, $\theta = 3$



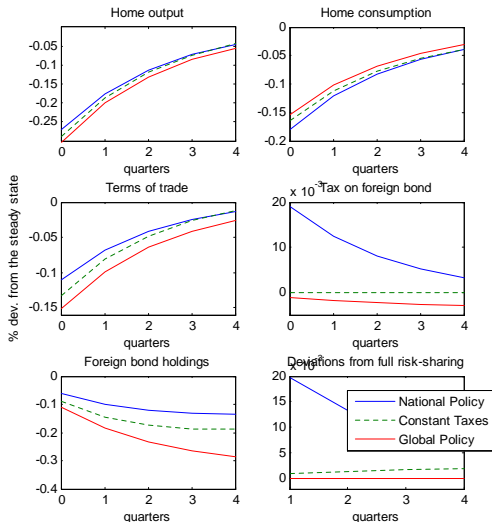
Optimal taxes under incomplete markets: maximizing national welfare (2)

Impulse responses to a negative productivity shock, $\theta = 0.8$



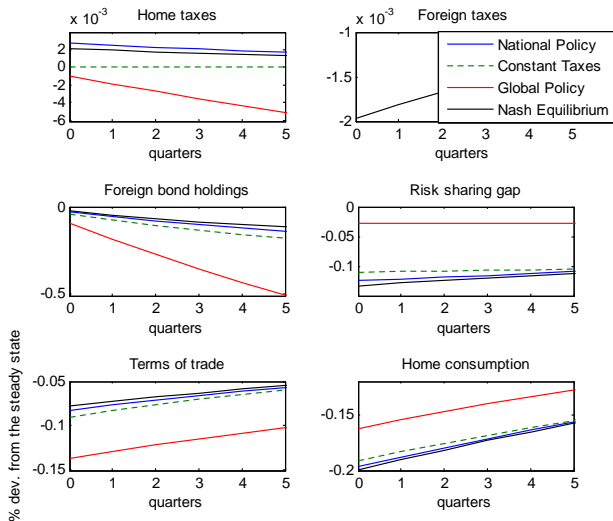
Optimal taxes under incomplete markets: maximizing global welfare

Impulse responses to a negative productivity shock, $\theta = 3$

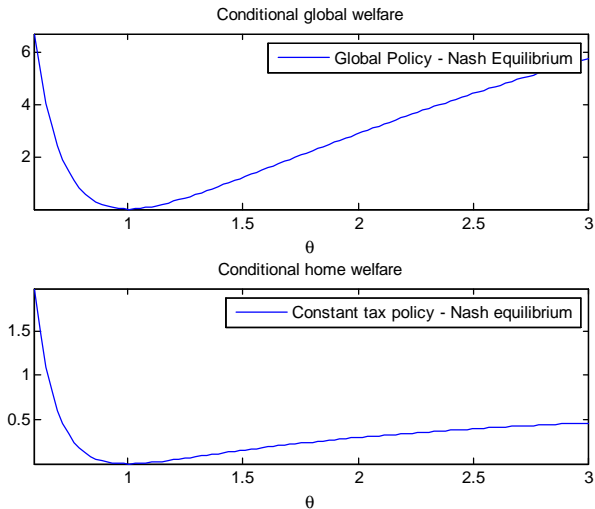


Optimal taxes under incomplete markets: Nash equilibrium

Impulse responses to a negative productivity shock, $\theta = 3$



Role for policy coordination



Conclusions

- ▶ Global and national policy have opposing prescriptions
- ▶ Uncoordinated policy limits international risk sharing
- ▶ Capital control "wars" – everyone worse off
- ▶ Role for policy coordination

Further steps

- ▶ Sensitivity analysis
- ▶ Quantitative analysis: assess gains from coordination
 - ▶ Model calibration/extensions to generate realistic risk-sharing properties (Corsetti, Dedola and Leduc (2008))