

Credit Card Interchange Fees

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Payment cards: often a very efficient means of payment.

But criticized on many fronts:

- retailers complain about excessive fees (for credit cards)
- competition authorities suggest banks give exaggerated incentives to cardholders.

Usual suspects: interchange fees (IFs)

- Transfer of more than \$ 60 bn in the US only in 2007.
- Not clear why IFs are so high (typically 1 % or 2 % of the transaction value) for credit cards (Hayashi 2008).

More than 50 lawsuits in the USA only, more than 20 countries have taken regulatory action (Bradford and Hayashi 2008).

- We adapt previous literature on cards (Schmalensee 2002, Rochet and Tirole 2002, Wright 2003) that focused on the payment service (more suited to debit cards).
- We show when, why and how IFs for credit should be regulated.
- Among the first papers to explicitly model credit functionality (exceptions: Chakravorti and To (2007), Bolt and Chakravorti (2008), but do not study the regulation of IFs).

We determine three IF levels:

- monopoly card network: a_M
- competitive card networks: a_C
- consumer surplus maximum: a_{CS}

We show $a_M \ge a_C \ge a_{CS}$

More precisely $a_C = a_{CS}$ only occurs when **all** cardholders "multihome" and cards are perfect substitutes

MARKET FAILURE \Rightarrow Need for regulating IFs.

Two regimes for a_{cs} :

a) either $a_{CS} = a_T$, based on merchant avoided cost thus merchant specific, related to Tourist Test (Rochet and Tirole 2008)

b) or $a_{CS} = a^*$ based on issuer cost

thus issuer specific, related to cap implemented by RBA).

- We give a condition for regime **b**) to prevail (may be difficult to check).
- Cap based on merchant avoided $cost (a \le a_T)$ always increases Consumer Surplus.
- However, cap based on issuer cost $(a \le a^*)$ may sometimes decrease Consumer Surplus.

- Fraction *x* of consumers have credit cards (exogenous)
- Monopoly credit card network sets IF *a*.
- Banks compete for consumers and retailers:

cardholder fee $f = c_I + \pi_I - a$ (issuers)

merchant fee $m = c_A + a$ (acquirers).

• Our results are true more generally if banks' profit increase with cards volume and thus with IF level

THE MODEL (2)

2 types of purchases:

• "ordinary" • "ordinary" credit card: chosen by consumer when f < 0costs c_I and c_A for banks This situation is socially wasteful (convenience users).

Notation: $L_c = 1$ if f < 0.

• "credit" \leftarrow credit card: no cost no benefit (normalization) store credit: $\begin{cases} \cos c_s & \text{for seller} \\ \cos t c_B & \text{for buyer} \end{cases}$

 C_S is merchant specific while c_B is transaction specific. $D(f) \equiv \Pr(c_B \ge f)_{8}$

Two retailers/merchants (i = 1, 2) compete for consumers in two dimensions: retail price p_i and decision to accept cards $\Leftrightarrow L_i = 1$.

Consumers select retailer based on retail prices, transport cost (Hotelling) and quality of service (cards accepted or not). Once in the shop, opportunity for credit purchase arises with (exogenous) probability θ .

Retailers cannot distinguish between ordinary and credit purchases \Rightarrow same price p_i)

THE MODEL (4)

Expected utility of a customer of shop *i*:

Cash user

$$U_i^{cash} = u_0 + \theta u_C - tx_i - \theta E(c_B) - (1 + \theta)p_i$$

Cardholder

$$U_i^{card} = U_i^{cash} + L_i \left[-f L_C + \theta E (c_B - f)_+ \right]$$

Term between brackets = expected cardholder surplus S(a)Decreasing in f and thus increasing in IF a.

COMPETITION BETWEEN RETAILERS

Sequential game:

Stage 1: Given a (and thus f and m), retailerssimultaneously choose $L_i = 1$ if i accepts cards= 0otherwise.

Stage 2: Given (L_1, L_2) and *a*, retailers compete in prices.

Notation

$$\Gamma(a) = (c_A + a)L_C + \theta(m(a) - c_S)D(f(a))$$

expected net cost of accepting cards for retailer (increases in IF a)

 $\phi(a) = S(a) - \Gamma(a)$ total user surplus

Proposition 1: Equilibrium prices and profits of retailers (at stage 2) are:

$$p_i(a) = \gamma + \frac{1}{1+\theta} \left[t + \theta c_s + x \Gamma(a) L_i + \frac{x}{3} \phi(a) (L_i - L_j) \right]$$
$$\pi_i(a) = 2t s_i^2(a)$$

where $\Gamma(a)$ expected net cost of accepting cards for retailer $\phi(a) = S(a) - \Gamma(a)$ total user surplus $s_i(a) = \frac{1}{2} + \frac{x}{6t}\phi(a)(L_i - L_j)$ market share of *i*. **Corollary 1**: Retailer *i* accepts cards only when they increase this market share s_i (and profit π_i):

 $L_i = 1$ iff $\phi(a) \ge 0$.

This is satisfied if and only if $a \le a_M = \phi^{-1}(0)$

Corollary 2: A monopoly card network maximizes banks' profit by setting $a = a_M$.

Corollary 3: Equilibrium retail prices increase in the expected cost of cards for retailers $\Gamma(a)$ which is increasing in *a*:

$$(1+\theta)p(a) = t + \gamma(1+\theta) + \theta c_s + x\Gamma(a).$$

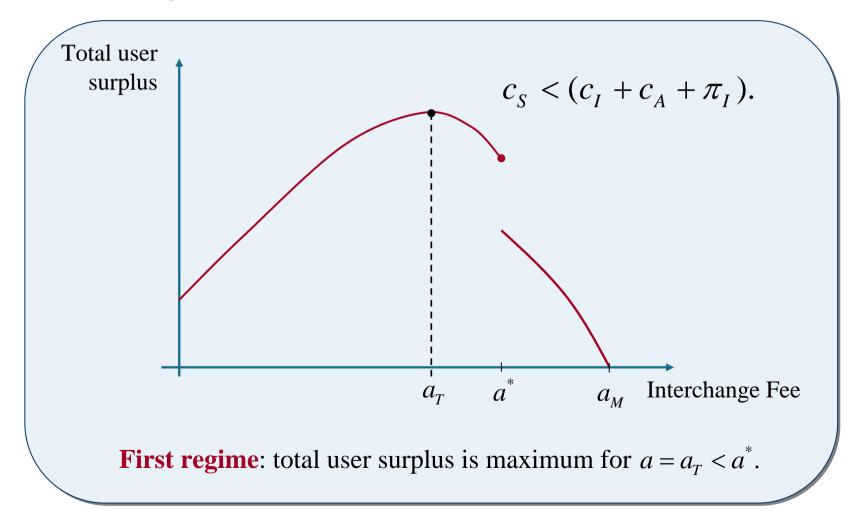
Corollary 4: Surplus of cash users decreases in *a*.

Corollary 5: Total Consumer Surplus consumers is an increasing function of $\phi(a)$:

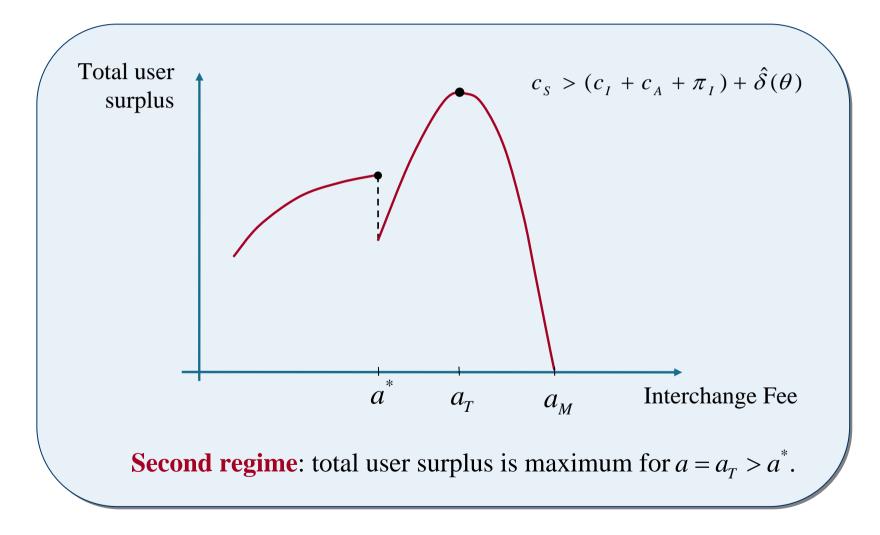
$$CS(a) = (u_o - \gamma) + \theta(u_c - \gamma) - \frac{3t}{2} - \theta(c_s + E(c_B)) + x\phi(a).$$

CONSUMER SURPLUS MAXIMIZATION (1)

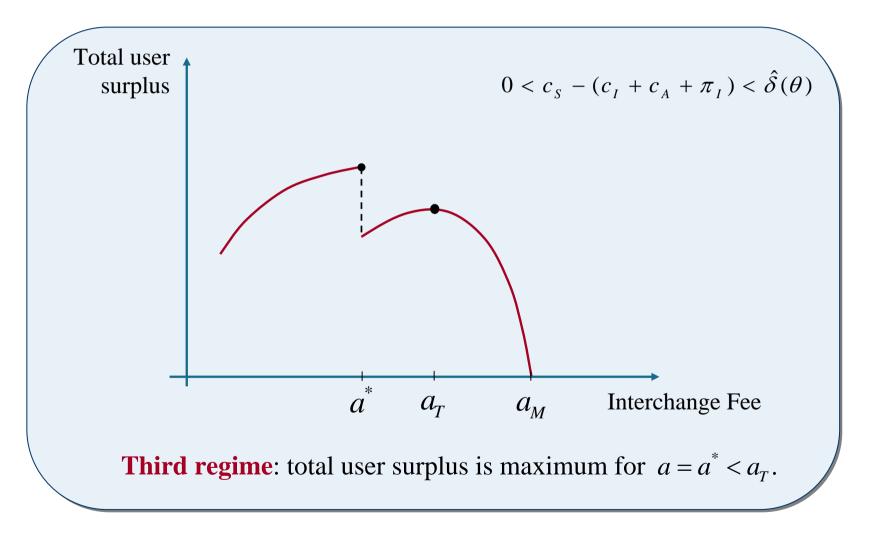
There are 3 regimes:



CONSUMER SURPLUS MAXIMIZATION (2)



CONSUMER SURPLUS MAXIMIZATION (3)



We assume now that two competing card schemes offer perfectly substitutable cards (Bertrand competition)

We take as given the proportion y of cardholders who multi-home (multi-homing index)

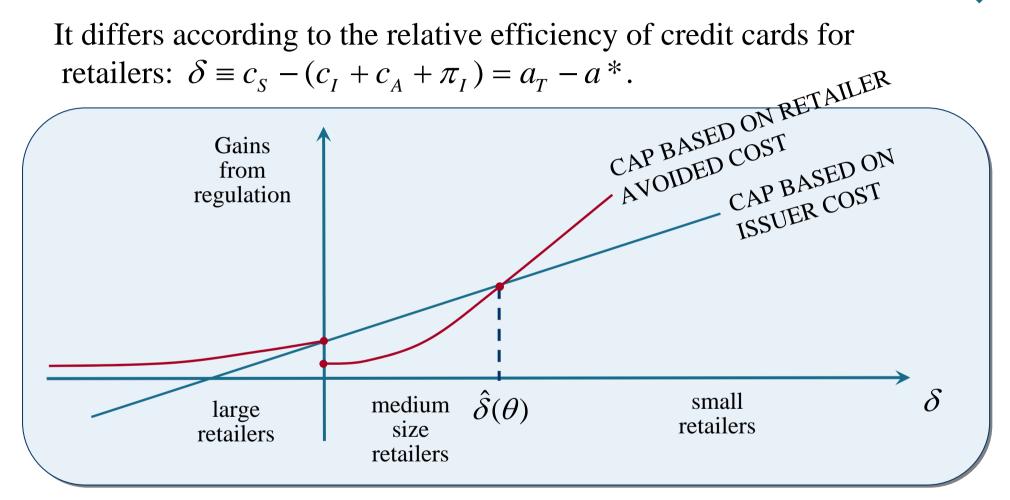
Proposition 2: There is a unique Bertrand equilibrium:

- Both card schemes choose the same IF a(y).
- a(y) is an decreasing function of multi-homing index y

•
$$a(0) = a_M, a(1) = a_{CS}$$

Thus competition leads to CS maximization only when y=1 (complete multi-homing) . In all other cases there is a market failure.

BENCHMARK FOR REGULATION OF IF



Except for medium size retailers, a cap based on retailer avoided cost $a \le a_T = c_S - c_A$ is better than a cap based on issuer cost $a \le a^* = c_I + \pi_I$. **1-** Privately set IFs are excessive: $a_M \ge a(y) \ge a_{CS}$.

2- Socially optimal IFs can be either

 $a_T = c_S - c_A =$ net avoided cost by retailer

(related to Tourist Test: Rochet and Tirole 2008) or

 $a^* = c_I + \pi_I =$ issuer cost + profit margin.

(related to cap implemented by RBA)

- **3-** A regulatory cap based on a_T is always better than no regulation.
- **4-** This is not true for a^* .