International dimensions of optimal monetary policy: A re-appraisal and new directions, by Corsetti, Dedola and Leduc

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- Although preliminary and incomplete, this seems a very interesting and promising review of the literature on optimal monetary stabilization policies in open economies.
- I like a lot the approach to the problem (introduction is great!), which is seen from an open-economy perspective and not like a simple appendix to closed-economy results.
- In particular, right emphasis and balance on open-economy channels:
 - Terms of trade as a transmission mechanism.
 - International financial markets and role of exchange rate as a shock absorber.
 - Cooperative versus non-cooperative solutions.

First part: workhorse model

- General principle of optimal monetary policy is that there should not be relative-price misalignment. Relative prices should reflect relative costs.
- In a closed economy: common productivity shocks. Therefore price stability, zero inflation.
- In an open economy, additional relative-price adjustments even in a basic model: terms of trade, internal real exchange rate. Principle of optimal monetary policy more complicated.

- Does it exist an open-economy model which has the same implications of a closed-economy model in terms of prescription for guiding optimal monetary policy?
- As a first step in our study, we draw on the literature to specify a two-country two-good models in which the prescription guiding optimal monetary policy is identical to ones for the benchmark closedeconomy model mentioned above: price stability is optimal vis-a-vis efficient shocks, some deviations from price stability are optimal vis-avis inefficient shocks (as in e.g. Benigno and Benigno 2005, henceforth BB).
- But which price level?

Workhorse model:

- Generalization of Benigno and Benigno (JIMF, JME, Macroeconomic Dynamic) with home-bias in consumption and so deviations from PPP.
 More shocks. (I am not sure generalizations add much)
- One suggestion is to give more details on the log-linear model. (model of exchange-rate determination, Benigno and Benigno, JIMF)
- More details on the solution method at least in the workhorse model. Paper is written for an expert.

- Show more details on LQ cooperative solutions under timeless perspective;
- Show first-order conditions which are useful to get insights into the solution

The first-order condition with respect to $y_{H,t}$, $y_{F,t}^{*}$ and q_{t} are

$$\lambda_y^w y_{H,t} = \varphi_{1,t} + (1-n)\theta^{-1} s_c^{-1} \varphi_{3,t}, \tag{1}$$

$$\lambda_{y}^{w} y_{F,t}^{*} = \varphi_{2,t} - n\theta^{-1} s_{c}^{-1} \varphi_{3,t}, \qquad (2)$$

$$\lambda_y^w s_c \theta \psi q_t = \psi \varphi_{1,t} - \psi \varphi_{2,t} - \varphi_{3,t}, \tag{3}$$

for each $t \ge t_0$, while the ones with respect to $\pi_{H,t}$ and $\pi^*_{F,t}$ are

$$\lambda_y^w \sigma s_c^2 \pi_{H,t} = -(\varphi_{1,t} - \varphi_{1,t-1}), \tag{4}$$

$$\lambda_y^w \sigma s_c^2 \pi_{F,t}^* = -(\varphi_{2,t} - \varphi_{2,t-1}), \tag{5}$$

for each $t \ge t_0$.

• When $\bar{\mu} = 1$, the nominal exchange rate follows

$$\ln S_t/\bar{S} = \left(\frac{1}{\sigma} - \frac{s_c}{\theta}\right) \frac{1}{(\rho + \eta s_c)} (\varphi_{2,t} - \varphi_{1,t}) + \frac{\eta}{1 + \theta s_c \eta} [\hat{a}_t - \hat{a}_t^* - (\hat{G}_t - \hat{G}_t^*)].$$

In the special case when θs_c = σ, the exchange rate should not fluctuate when the economy is perturbed by mark-up shocks. Otherwise, when there are no mark-up shocks then φ_{1,t} = φ_{2,t} = 0 at each time and the exchange rate moves as in the Friedman's argument.

• Non-cooperative loss function. Should show quadratic loss function of the domestic and foreign policymaker

$$L = \frac{1}{2} E_{t_0} \sum_{t=t_0}^{\infty} \beta^{t-t_0} [\lambda_{y_h} (\hat{Y}_{H,t} - \tilde{Y}_{H,t}^h)^2 + \lambda_{y_f} (\hat{Y}_{F,t}^* - \tilde{Y}_{F,t}^h)^2 + \lambda_q (\hat{T}_t - \tilde{T}_t^h)^2 + \lambda_{\pi_h} \pi_{H,t}^2 + \lambda_{\pi_f} \pi_{F,t}^{*2}]$$

$$L^{*} = \frac{1}{2} E_{t_{0}} \sum_{t=t_{0}}^{\infty} \beta^{t-t_{0}} [\lambda_{y_{h}}^{*} (\hat{Y}_{H,t} - \tilde{Y}_{H,t}^{f})^{2} + \lambda_{y_{f}}^{*} (\hat{Y}_{F,t}^{*} - \tilde{Y}_{F,t}^{f})^{2} + \lambda_{q}^{*} (\hat{T}_{t} - \tilde{T}_{t}^{f})^{2} + \lambda_{\pi_{h}}^{*} \pi_{H,t}^{2} + \lambda_{\pi_{f}}^{*} \pi_{F,t}^{*2}]$$

Note that targets might be different from the ones implied by the cooperative loss function.

- There are no gains from cooperation under two special cases. One simple case is when $L = L^* = L^W$.
- When θ = 1/ρ, the cooperative loss function simplifies to a quadratic form that displays only GDP inflation and output targets, since ψ = 0, while the loss functions for each country simplify to

$$L = \frac{1}{2} E_{t_0} \sum_{t=t_0}^{\infty} \beta^{t-t_0} [\lambda_{y_h} (\hat{Y}_{H,t} - \tilde{\tilde{Y}}_{H,t}^h)^2 + \lambda_{\pi_h} \pi_{H,t}^2] + \text{t.o.c.}$$

for country \boldsymbol{H} and

$$L^* = \frac{1}{2} E_{t_0} \sum_{t=t_0}^{\infty} \beta^{t-t_0} [\lambda_{y_f}^* (\hat{Y}_{F,t}^* - \tilde{\tilde{Y}}_{F,t}^f)^2 + \lambda_{\pi_f}^* \pi_{F,t}^{*2}] + \text{t.o.c.}$$

for country F.

Should add part on how to implement optimal cooperative solution. Targeting rules (see Svensson (2001))

• Targeting rules when $ar{\mu}=1$

$$\sigma s_c^2 \pi_{H,t} + \Delta y_{H,t} = 0, \tag{6}$$

$$\sigma s_c^2 \pi_{F,t}^* + \Delta y_{F,t}^* = 0.$$
 (7)

• More general case when $\bar{\mu} \neq 1$

$$(\kappa \lambda_{\pi_h}^w + \gamma) \pi_{H,t} + \lambda_y^w \Delta y_{H,t} - \gamma (\pi_t - \tilde{\pi}_t) = 0, \qquad (8)$$

$$(\kappa^* \lambda_{\pi_f}^w + \gamma) \pi_{F,t}^* + \lambda_y^w \Delta y_{F,t}^* - \gamma (\pi_t^* - \tilde{\pi}_t^*) = 0, \qquad (9)$$

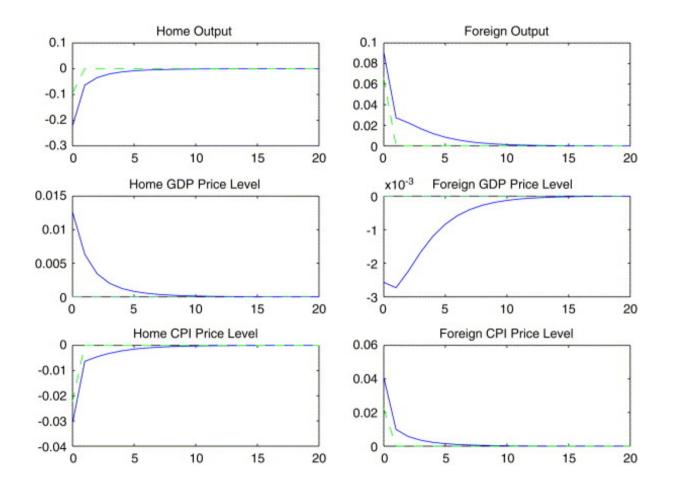


Figure 1:

 ${\sf Model \ with \ LCP}$

- Comparisons with targeting rules above is important to see how prescription of optimal monetary policy changes.
- Intuition is that CPI inflation might be more important. Does it show up in the targeting rules?

Model with non-tradable goods

• Targeting rules again are important to read differences.

International financial markets:

- Departure from complete-market hypothesis. Relevance of exchange rate as a way to shift wealth across countries
- Step back: why do you assume financial autarky?
- Should assume trade in assets: bonds and equity. Difficult, but a step forward.
- Problems: optimal monetary policy problem when portfolio positions are endogenous is not easily solvable. Cannot be solved with LQ methods.

- Easy way is to add transaction frictions to determine steady-state portfolio holdings (see Benigno (2008), Ghironi and Rebucci (2007))
- Better way is to assume transaction frictions which are of secondorder importance and so do not affect first-order approximations to the problem but they continuously move in a way to keep portfolio shares unchanged when monetary policy changes.

- Suggestion:
 - should present a model with incomplete financial market but a rich set of assets (two equities, two bonds)
 - assume second-order trading costs and set portfolio holdings to match those of the data
 - Analyze optimal cooperative and non-cooperative allocations.

- Role of the exchange rate as a shock absorber (similar to fiscal theory of price level) completely change transmission mechanism of shocks. (Benigno, JED)
- Following a *permanent* productivity shock in one country:
 - intertemporal approach to the current account would suggest that the consumption of the country that experiences the favorable shock increases proportionally without any changes in the netforeign asset position.
 - Instead, global efficiency would require a transfer of real wealth to the other country.
 - An appreciation of the nominal exchange rate acts as a negative financial shock that reduces the portfolio return of the country with the high productivity.

- This channel worsens in a permanent way its net foreign asset position and results in a permanent transfer of wealth to the other economy.
- Through this mechanism consumption can also increase abroad.

• Trade in a riskless real bond. Intertemporal resource constraint of the domestic economy implies

$$B_{t-1} = E_t \left\{ \sum_{\tau=t}^{\infty} \beta^{\tau-t} \frac{C_{\tau}^{-\rho} g_{\tau}^{\rho}}{C_t^{-\rho} g_t^{\rho}} \left[\frac{P_{H,\tau}}{P_{\tau}} Y_{\tau} - C_{\tau} \right] \right\}.$$

• Trade in a riskless nominal bond denominated in domestic currency

$$\frac{B_{t-1}}{P_t} = E_t \left\{ \sum_{\tau=t}^{\infty} \beta^{\tau-t} \frac{C_{\tau}^{-\rho} g_{\tau}^{\rho}}{C_t^{-\rho} g_t^{\rho}} \left[\frac{P_{H,\tau}}{P_{\tau}} Y_{\tau} - C_{\tau} \right] \right\}.$$

• Trade in two risk-free bonds, one denominated in country H currency and the other in country F currency.

$$\frac{B_{t-1}}{P_t} - \frac{S_t A_{t-1}^*}{P_t} = E_t \left\{ \sum_{\tau=t}^{\infty} \beta^{\tau-t} \frac{C_{\tau}^{-\rho} g_{\tau}^{\rho}}{C_t^{-\rho} g_t^{\rho}} \left[\frac{P_{H,\tau}}{P_{\tau}} Y_{\tau} - C_{\tau} \right] \right\}.$$

- Efficient allocation is no longer implementable when markets are incomplete
- Indeed there are some conflicting targets:
 - Objective of price stability, because producer inflation creates inefficient dispersion of prices among goods produced according to the same technology,
 - Objective of efficient consumption risk-sharing,
 - Objective of efficient allocation of resource through relative price adjustment, terms-of-trade objective.

• These objectives are captured by the following quadratic approximation of the Pareto problem

$$\mathsf{E}_{t_0} \sum_{t=t_0}^{\infty} \beta^{t-t_0} \{ (\rho+\eta) \cdot [\hat{C}_t^W - \tilde{C}_t^W]^2 + s(1-s)\rho [\hat{C}_t^R - \tilde{C}_t^R]^2 \\ + n(1-n)(1+\eta\theta)\theta \cdot [\hat{T}_t - \tilde{T}_t]^2 + n\frac{\sigma}{k}(\pi_{H,t})^2 + (1-n)\frac{\sigma}{k^*}(\pi_{F,t}^*)^2 \}$$

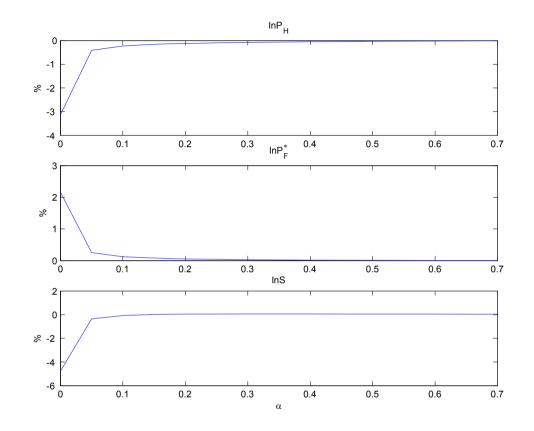


Figure 2: Percentage changes of prices $(\ln P_H \text{ and } \ln P_F^*)$ and exchange rate $(\ln S)$ between the final and initial steady states for different degrees of nominal rigidities (α) following a 1% permanent increase in productivity in country H.

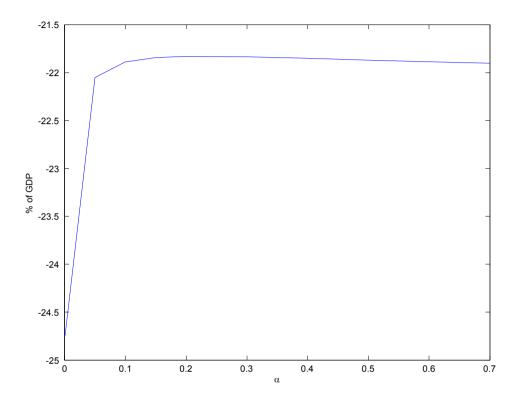


Figure 3: Ratio between the long-run value of the net foreign assets and GDP in country H for different degrees of nominal rigidities (α) following a 1% permanent increase in productivity in country H. (Initial steady state is -22% of GDP)

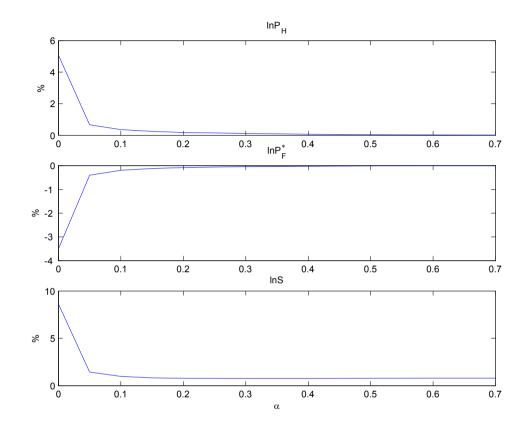


Figure 4: Percentage changes of prices $(\ln P_H \text{ and } \ln P_F^*)$ and exchange rate $(\ln S)$ between the final and initial steady states for different degrees of nominal rigidities (α) following a 1% permanent increase in the preference shock in country H.

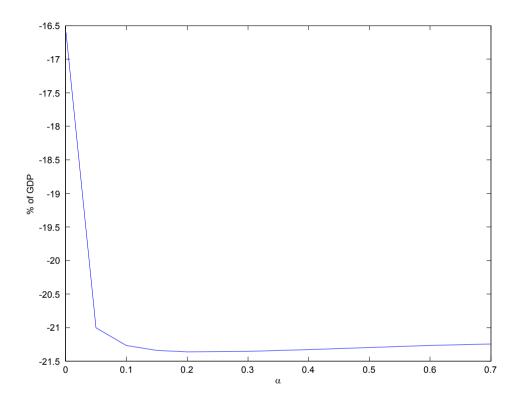


Figure 5: Ratio between the long-run value of the net foreign assets and GDP in country H for different degrees of nominal rigidities (α) following a 1% permanent increase in the preference shock in country H. (Initial steady state is -22% of GDP)